

# Investigating dense matter relevant to supervovae and neutron stars

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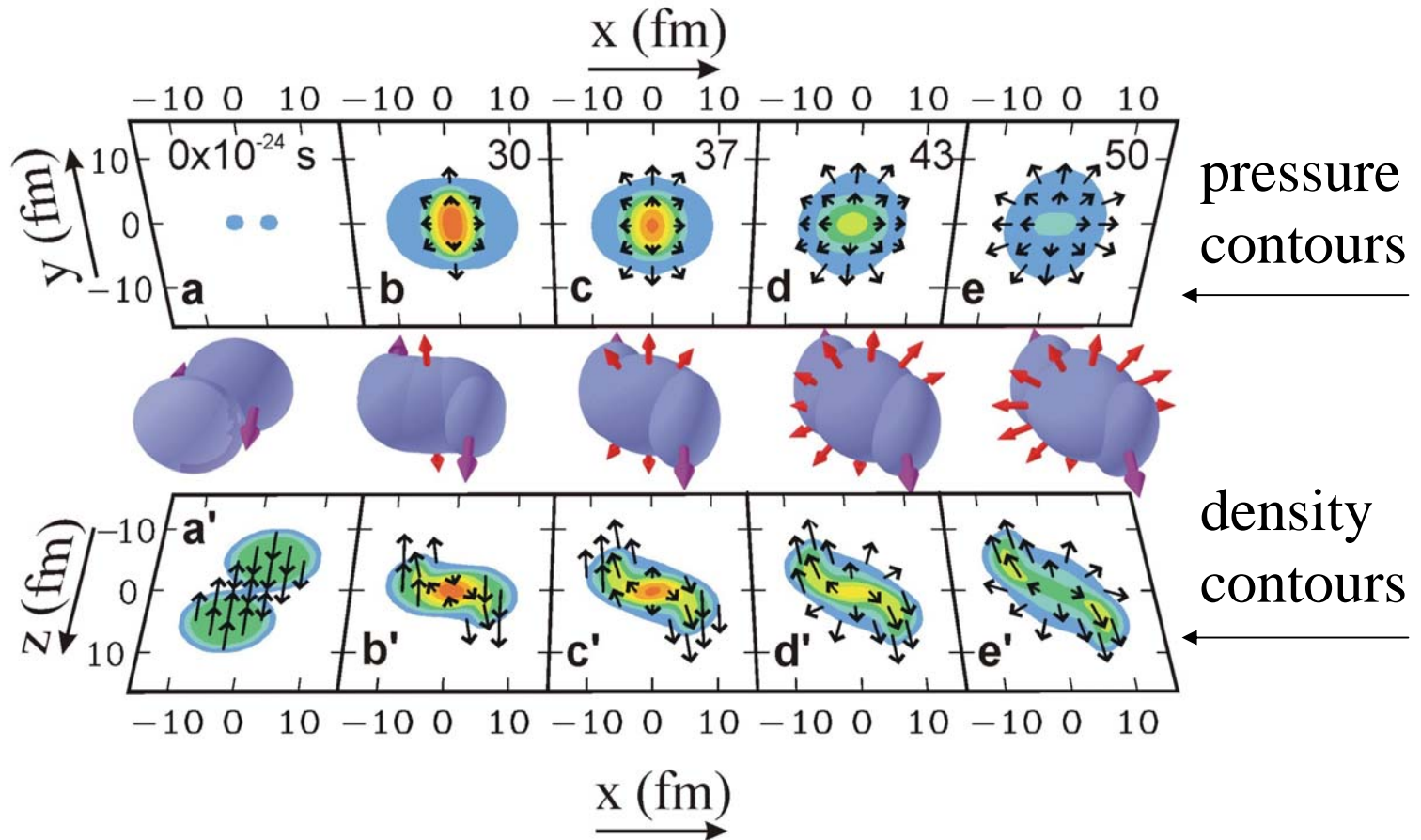
## Outline

- Present constraints on the EOS.
- Relevance to dense astrophysical objects:
- Probing asymmetric matter at  $\rho \leq 2\rho_0$ .

➤ What is known about the EOS for symmetric matter?

- ❑ Main information comes from heavy ion collisions.
- ❑ Monopole, isoscaler dipole resonances sample ~ 5% variations in density (i.e. curvature about minimum)

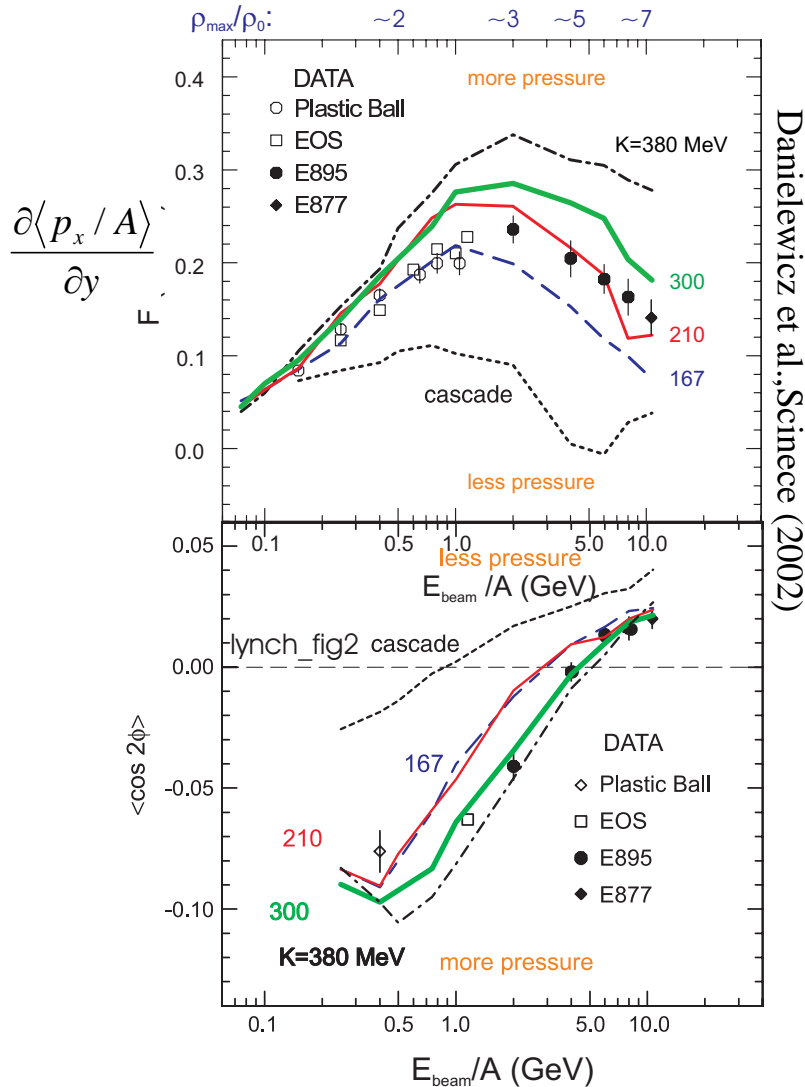
# Pressure and collective flow dynamics



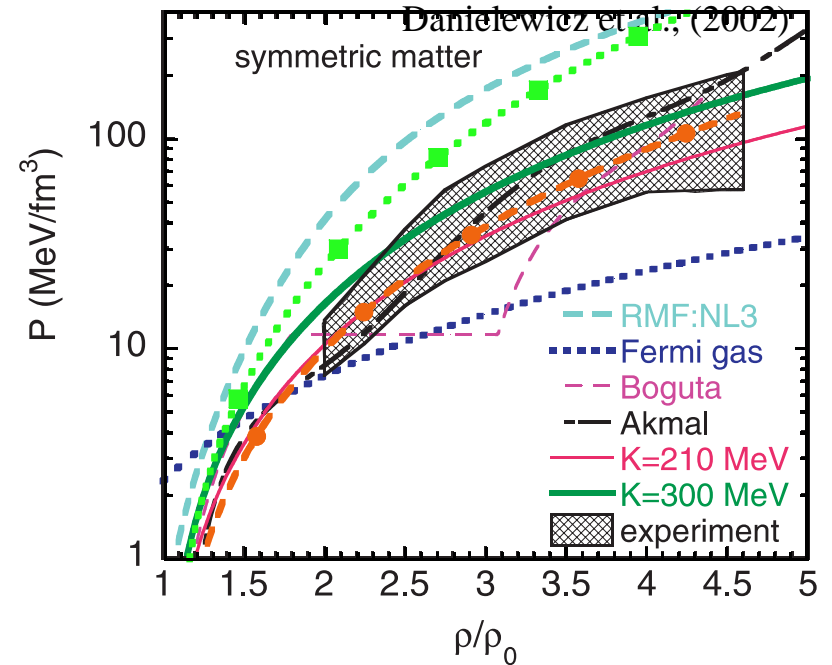
- The blocking by the spectator matter provides a clock with which to measure the expansion rate.

# Constraints on symmetric matter EOS at $\rho > 2 \rho_0$ .

Observables: transverse, elliptical flow.



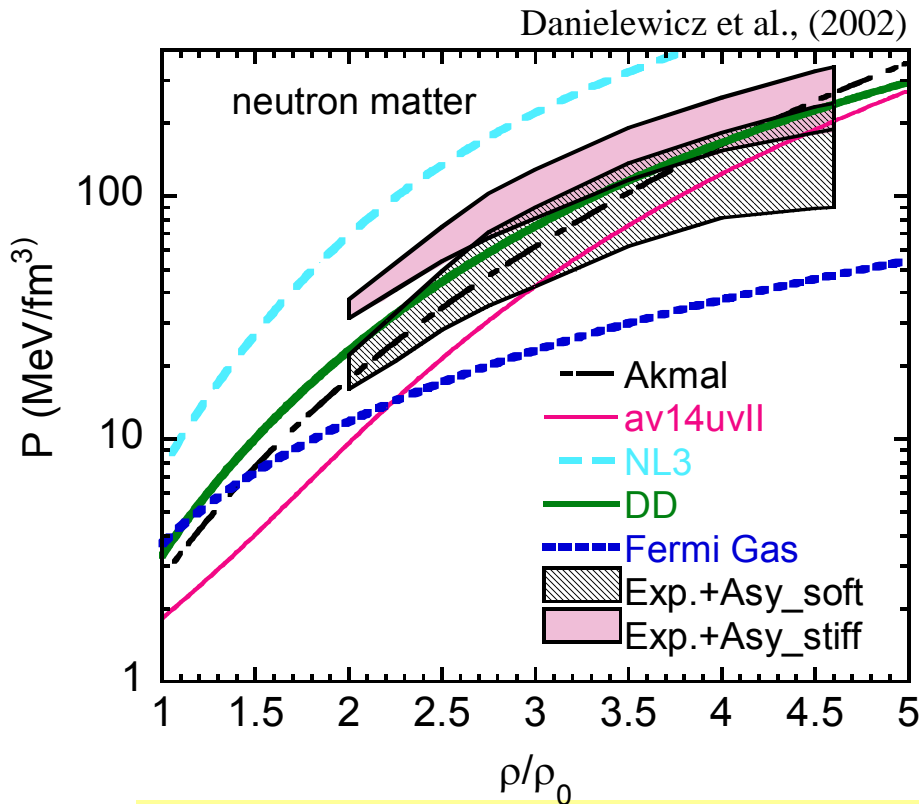
Danielewicz et al., Science (2002)



- Additional measurements were needed to constrain:
  - Momentum dependence of mean fields.
  - Cross-sections due to residual interactions.

# Extrapolation to neutron stars

$$E/A(\rho, \delta) = E/A(\rho, 0) + \delta^2 \cdot S(\rho) \quad \delta = (\rho_n - \rho_p) / (\rho_n + \rho_p) = (N-Z)/A \approx 1$$



- Uncertainty due to the density dependence of the asymmetry term is greater than that due to symmetric matter EOS.

## Symmetry term influences:

- Macroscopic properties:
  - Neutron star radii, moments of inertia and central densities.
  - Maximum neutron star masses and rotation frequencies.
- Proton and electron fractions throughout the star.
  - Cooling of proton-neutron star.
- Thickness of the inner crust.
  - Frequency change accompanying star quakes.
- Role of Kaon condensates and mixed quark-hadron phases in the stellar interior.

➤ How can one probe the asymmetry term?

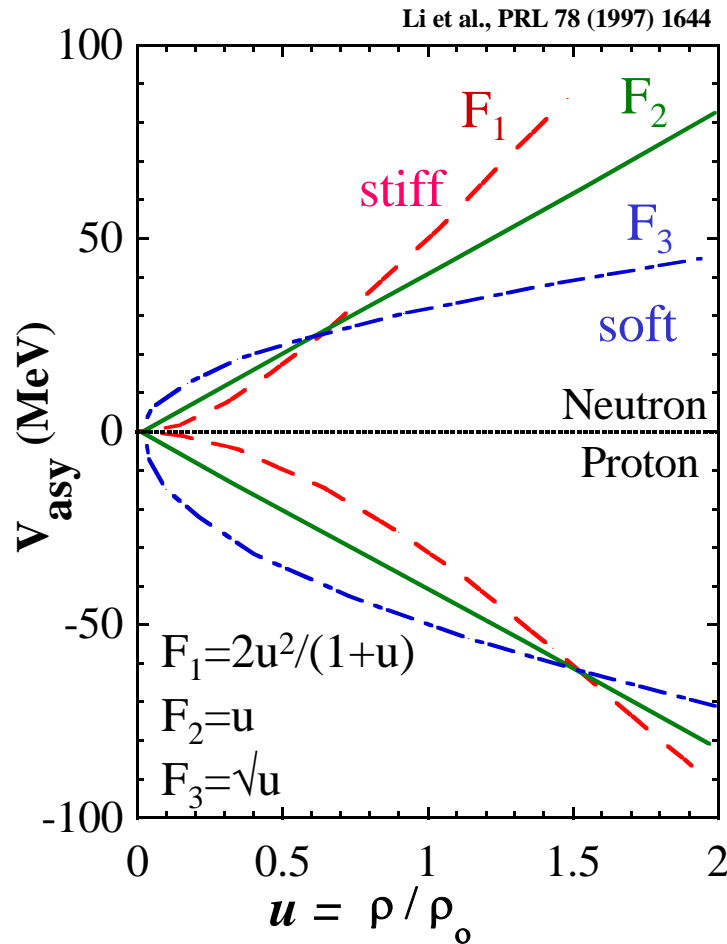
- Note: observables are needed mainly to constrain the interaction term:

$$S(\rho) = S_{kin}(\rho) + S_{int}(\rho);$$

$$S_{kin}(\rho) \approx \frac{1}{3} E_{Fermi}(\rho) \approx 13 \cdot (\rho / \rho_0)^{2/3} MeV$$

- Other observables will also be needed to constrain isospin dependent in-medium NN cross sections and neutron and neutron and proton effective masses

# Probing the asymmetry term



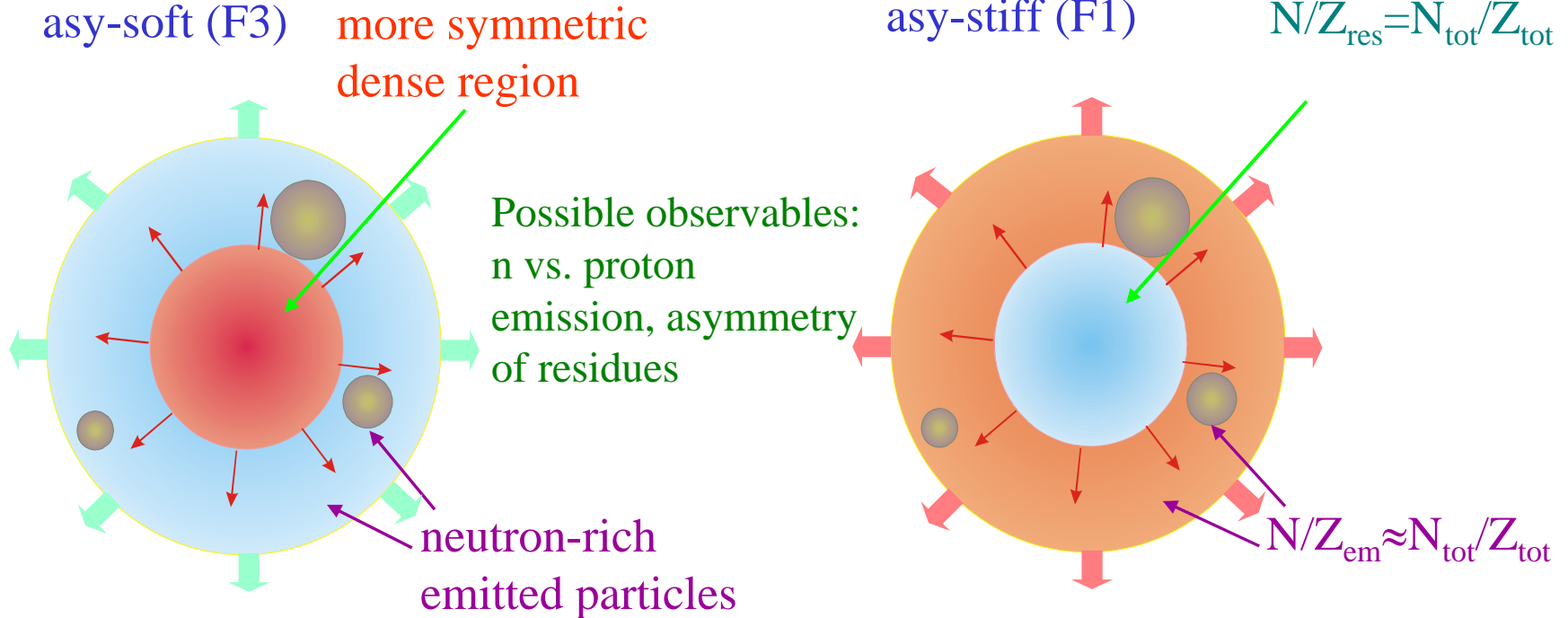
- Sign of mean field opposite for protons and neutrons.
- Shape is influenced by incompressibility.

Quantities sensitive to asymmetry term:  $S(\rho) \approx C_{sym}(\rho / \rho_0)^\gamma$

- At sub-saturation densities
  - Isospin diffusion
    - Tsang, PRL **92**, 062701 (2004)
    - [B.Li, JINA \(2005\) 0.7 <math>\gamma < 1.1</math>](#)
  - Asymmetry of bound residues.
  - Pre-equilibrium n vs. p emission.
  - Transverse flow (n.vs.p).
  - Difference between neutron and proton matter radii (TJLab future experiment).
- At supra-saturation densities
  - Isospin dependencies of pion production.
  - Transverse flow (n.vs.p).

# Central collisions: isospin fractionation

For a neutron rich system at  $\rho < \rho_0$ :



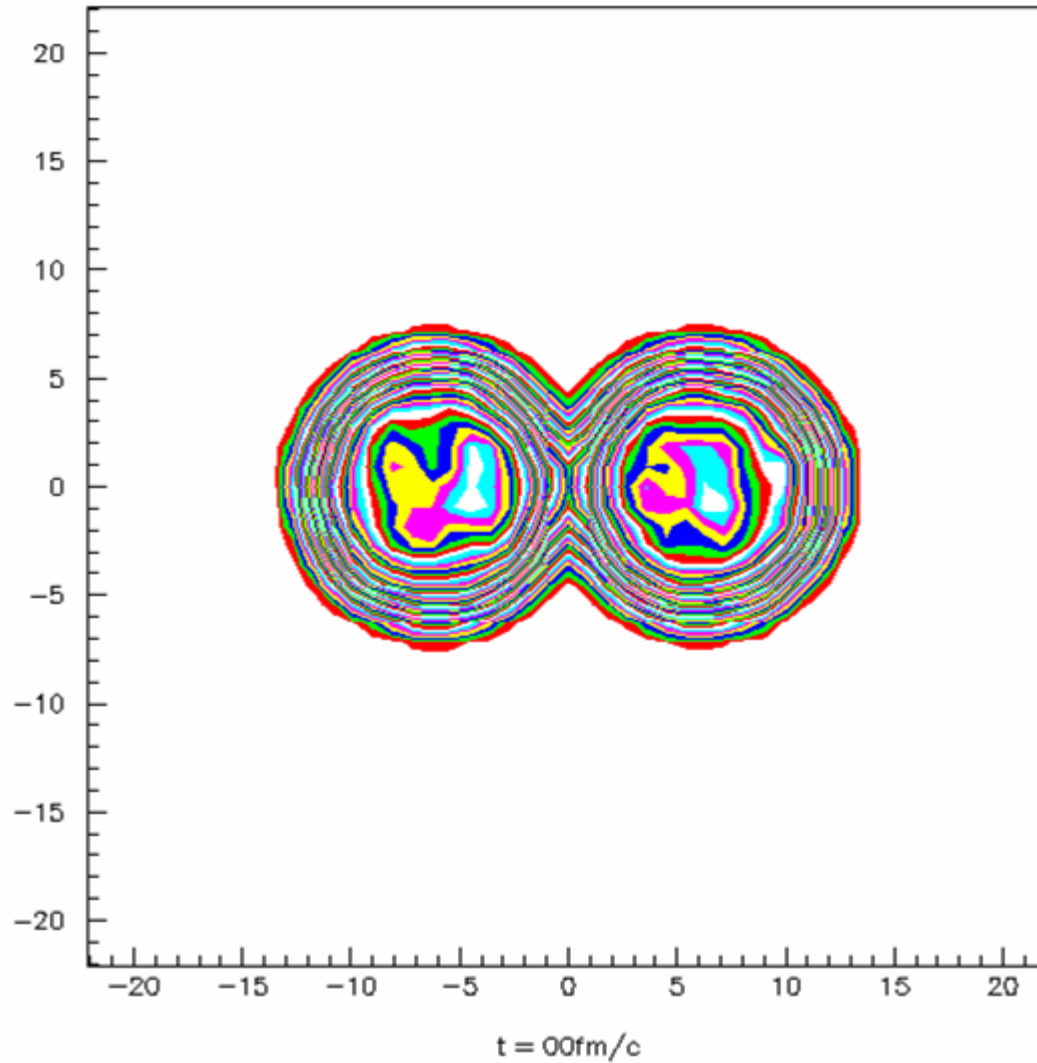
BUU predictions for central  $^{124}\text{Sn} + ^{124}\text{Sn}$  ( $N_0/Z_0=1.48$ ) collisions at  $E/A=50$  MeV

EOS	Residue N/Z
F_3 (asy-soft)	$95/77=1.23$

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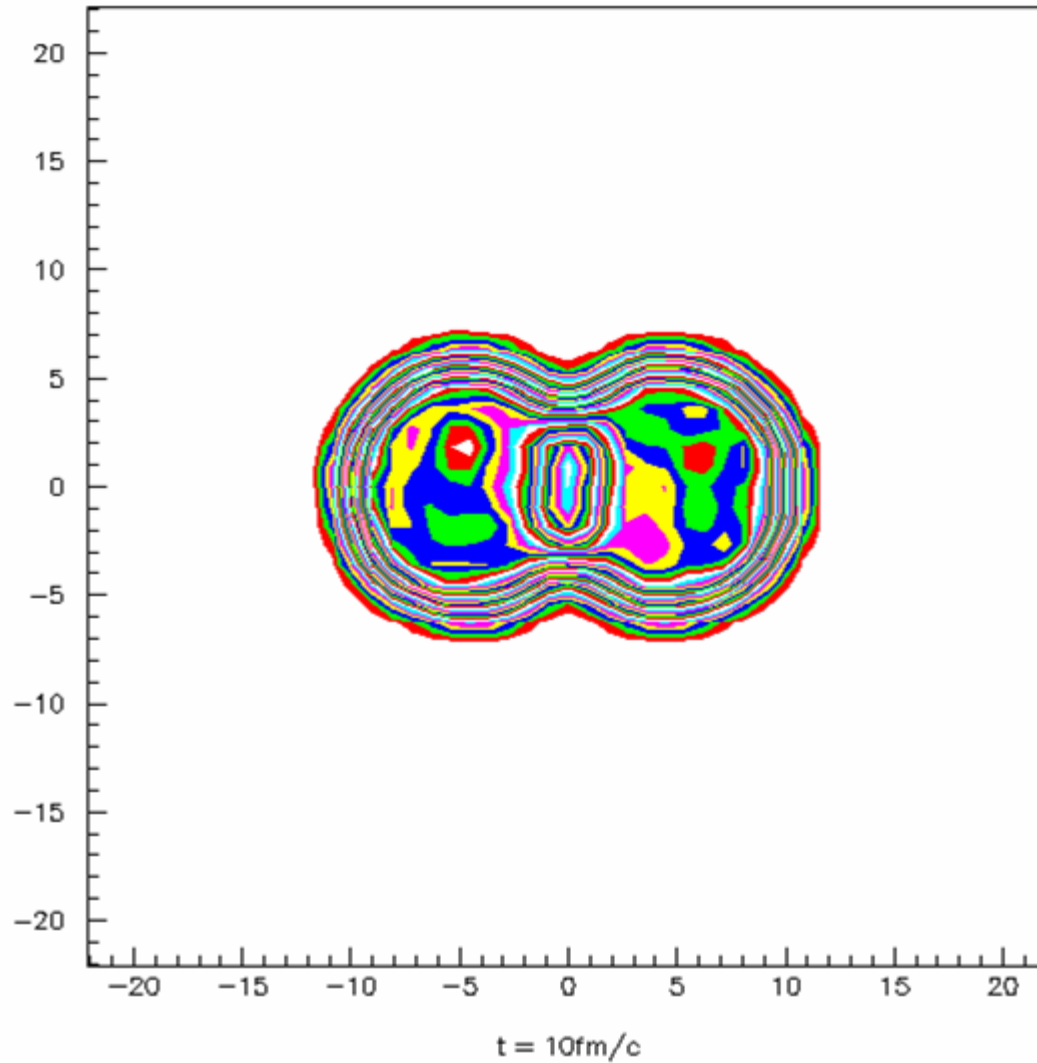


Sn+Sn; E/A=50 MeV; b=0 fm



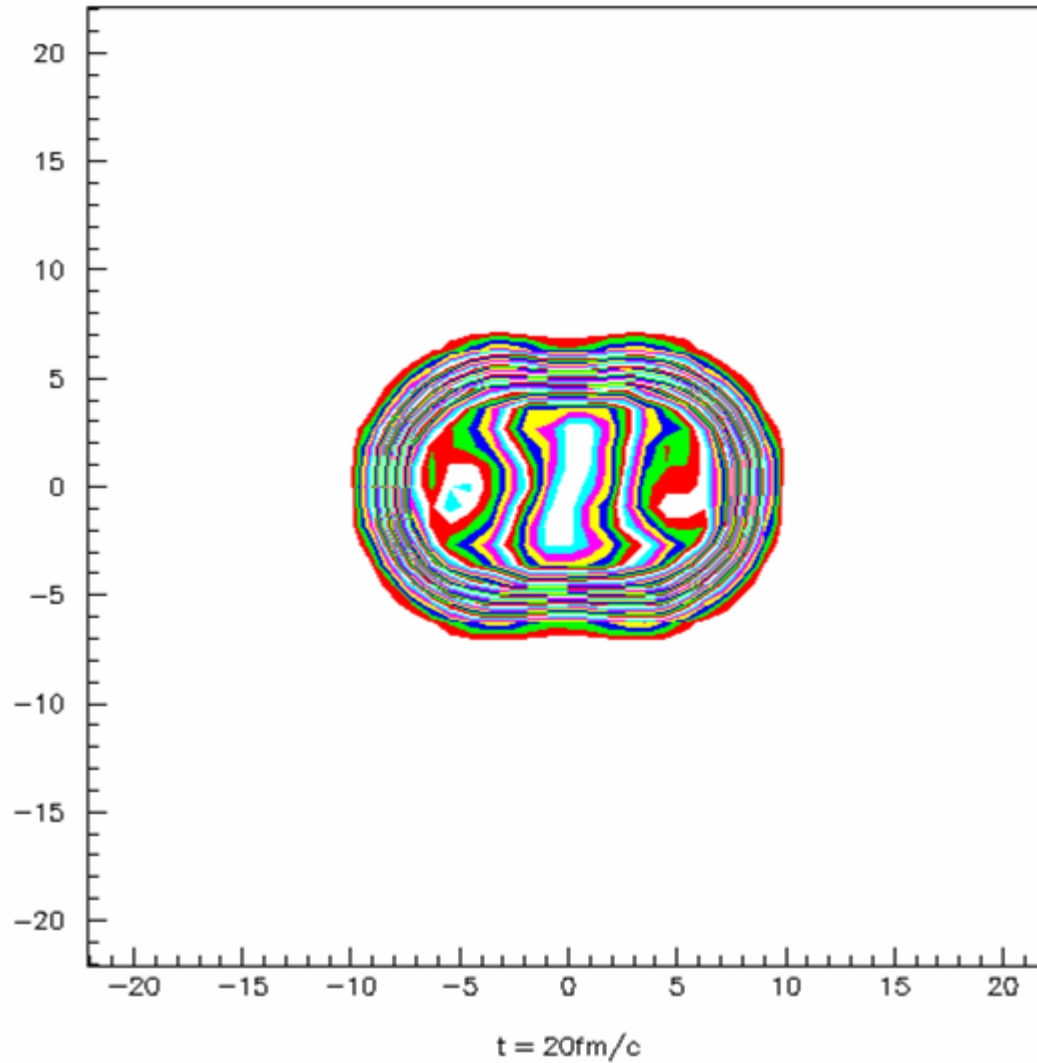
*BUU: Transport theory simulations*

Sn+Sn; E/A=50 MeV; b=0 fm



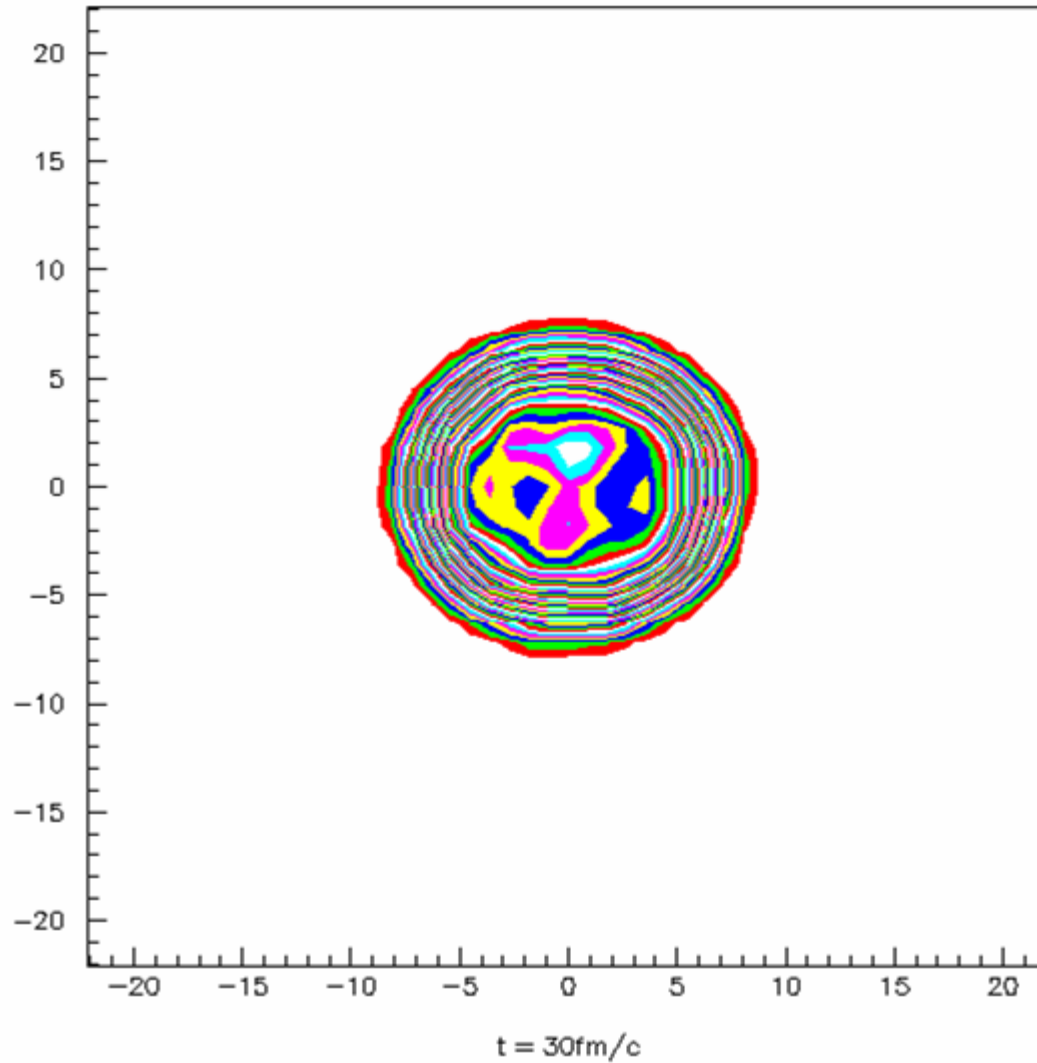
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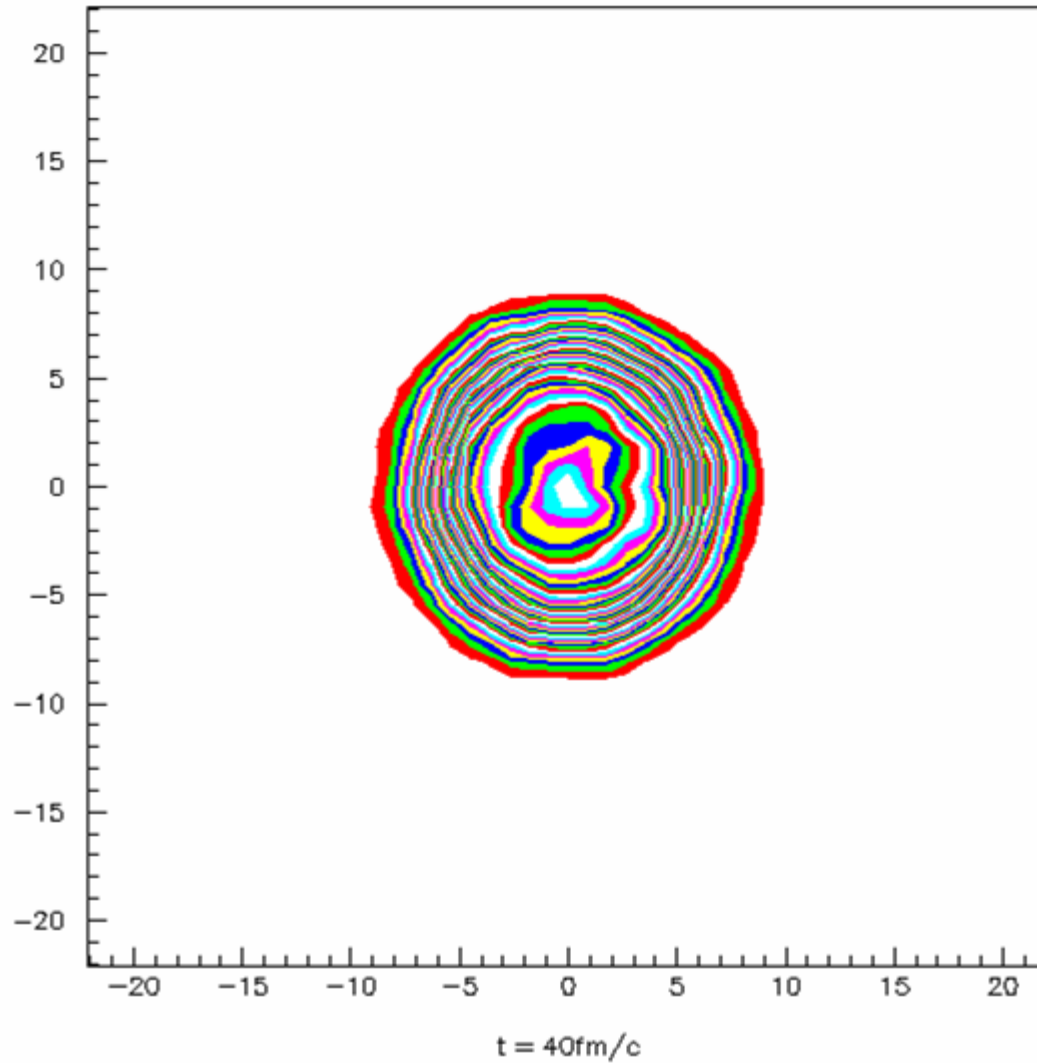
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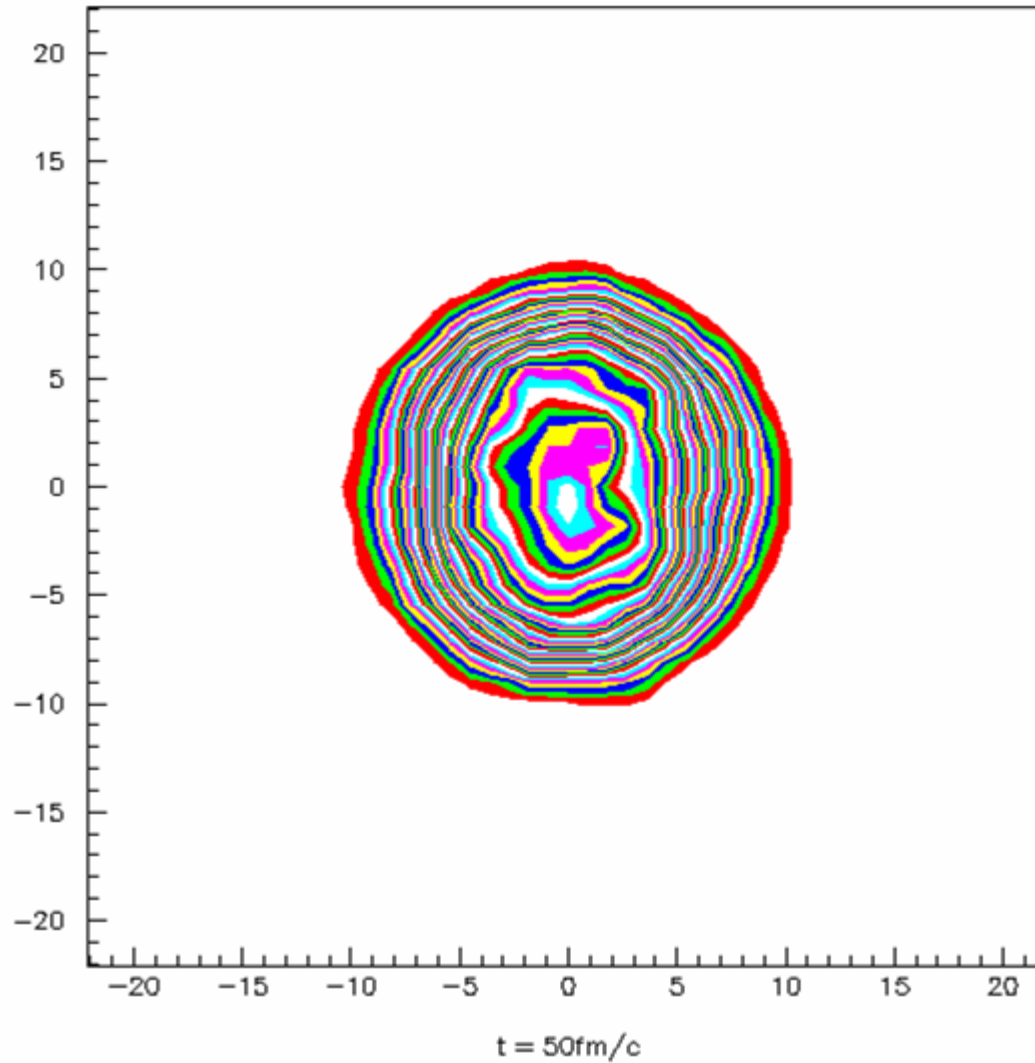
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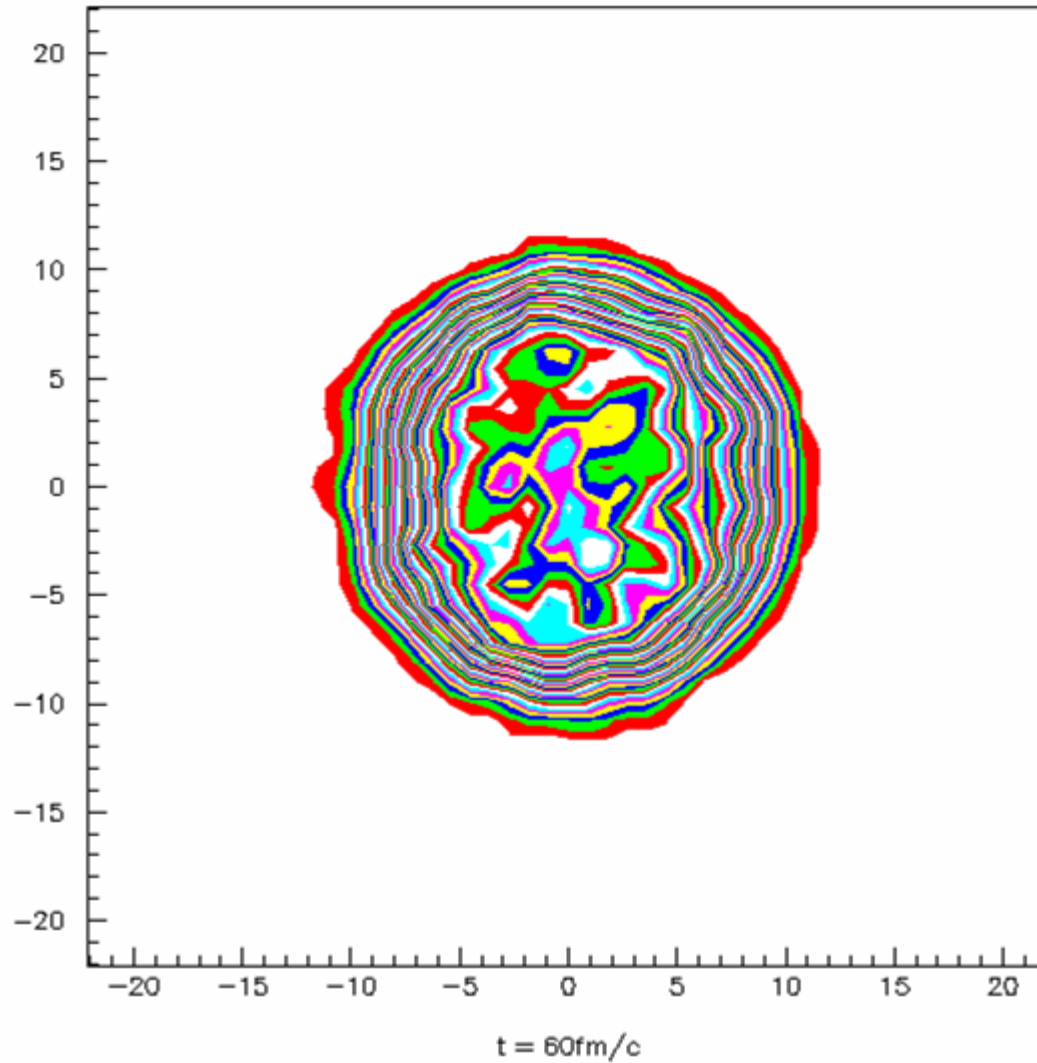
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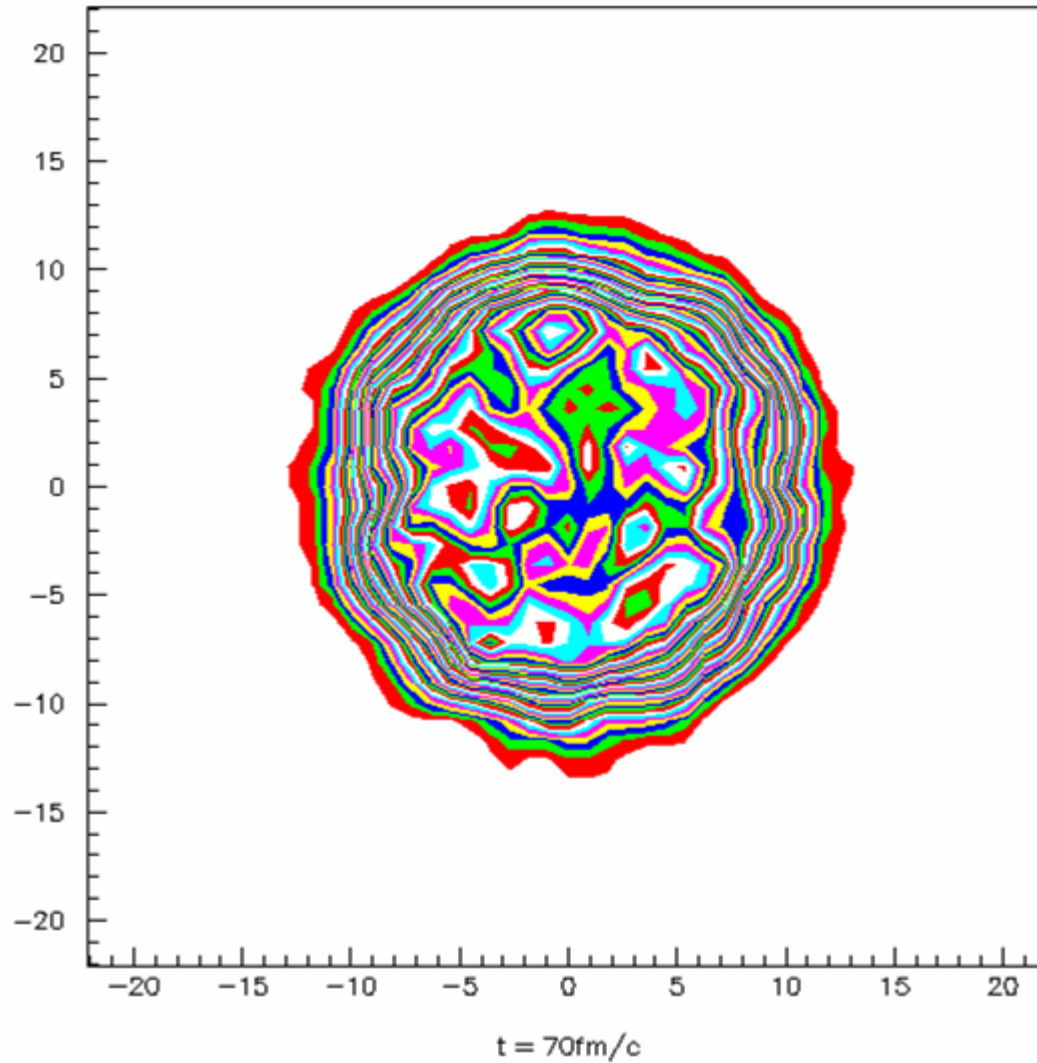
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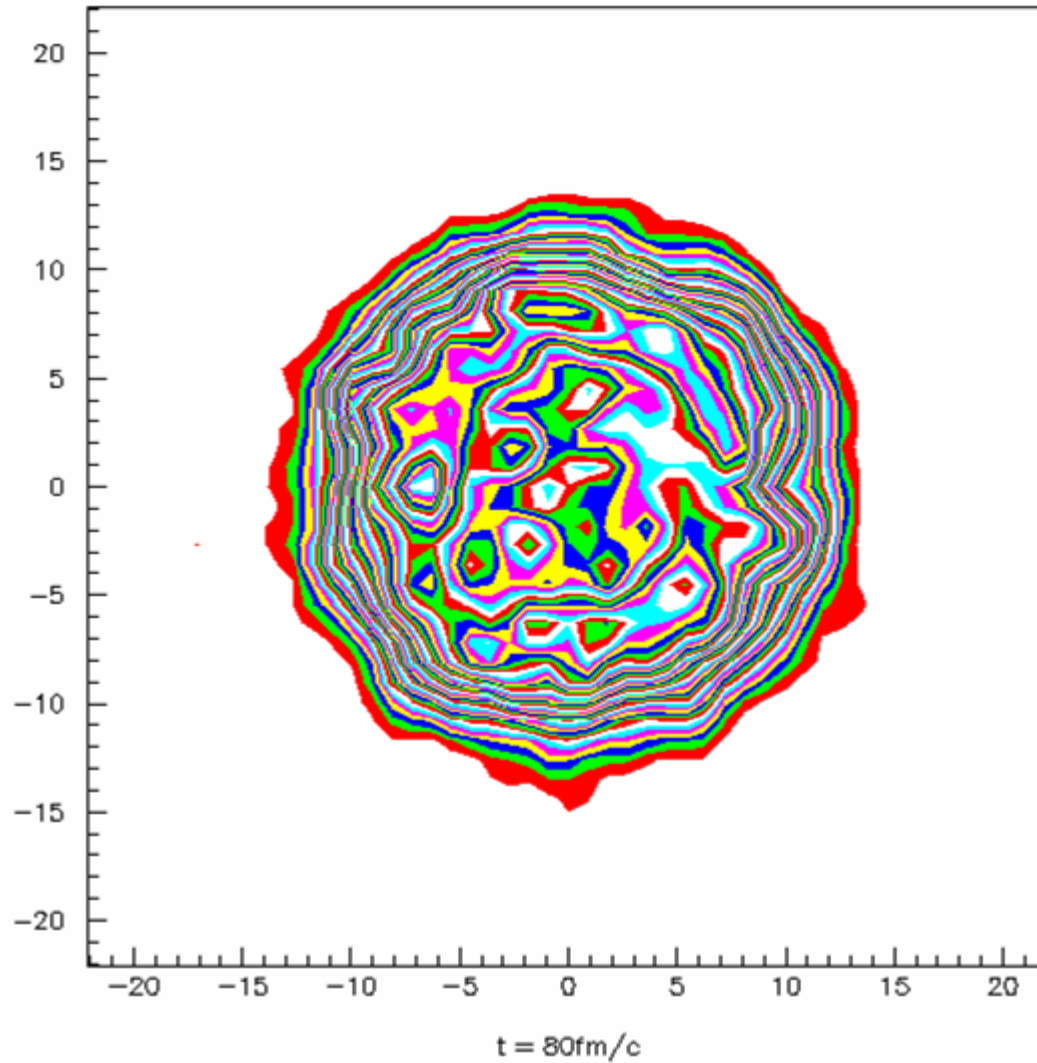
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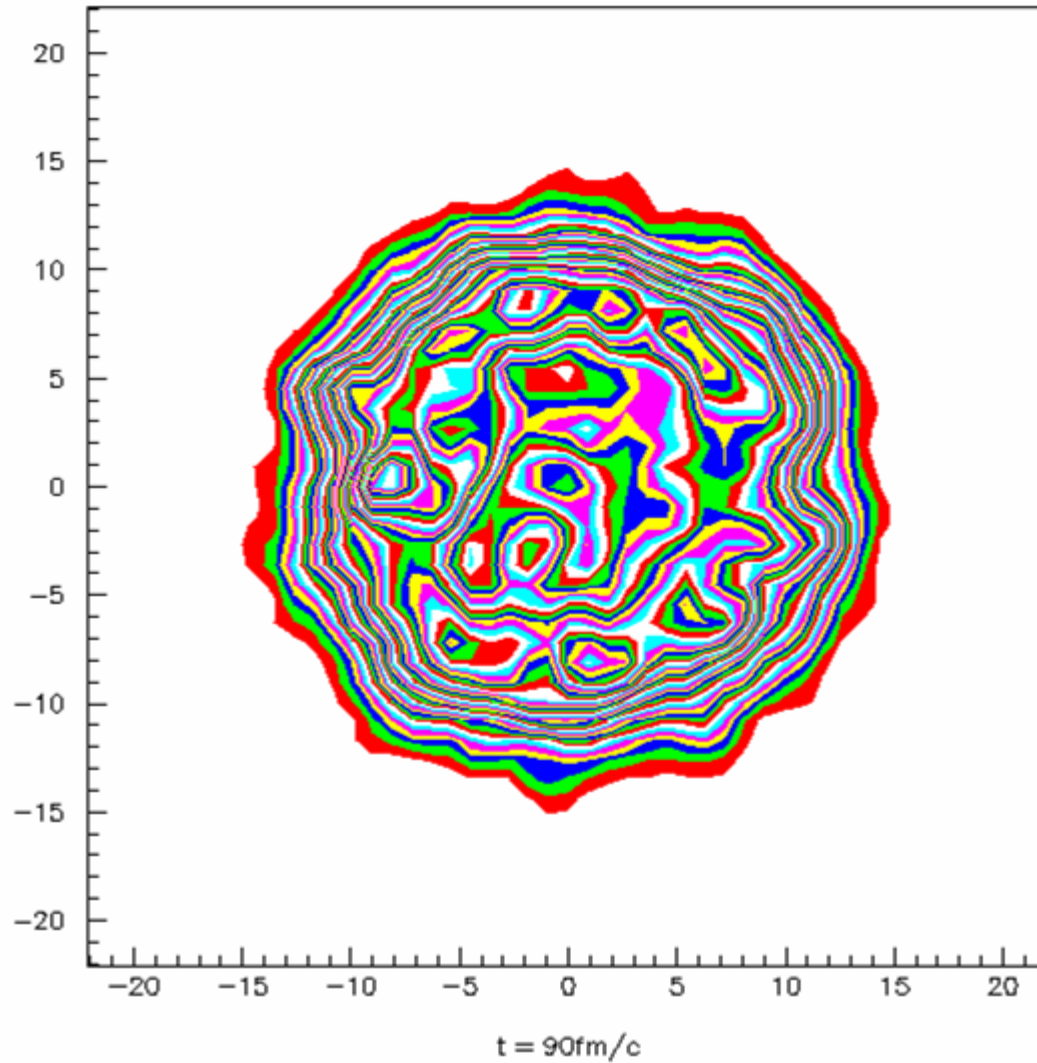


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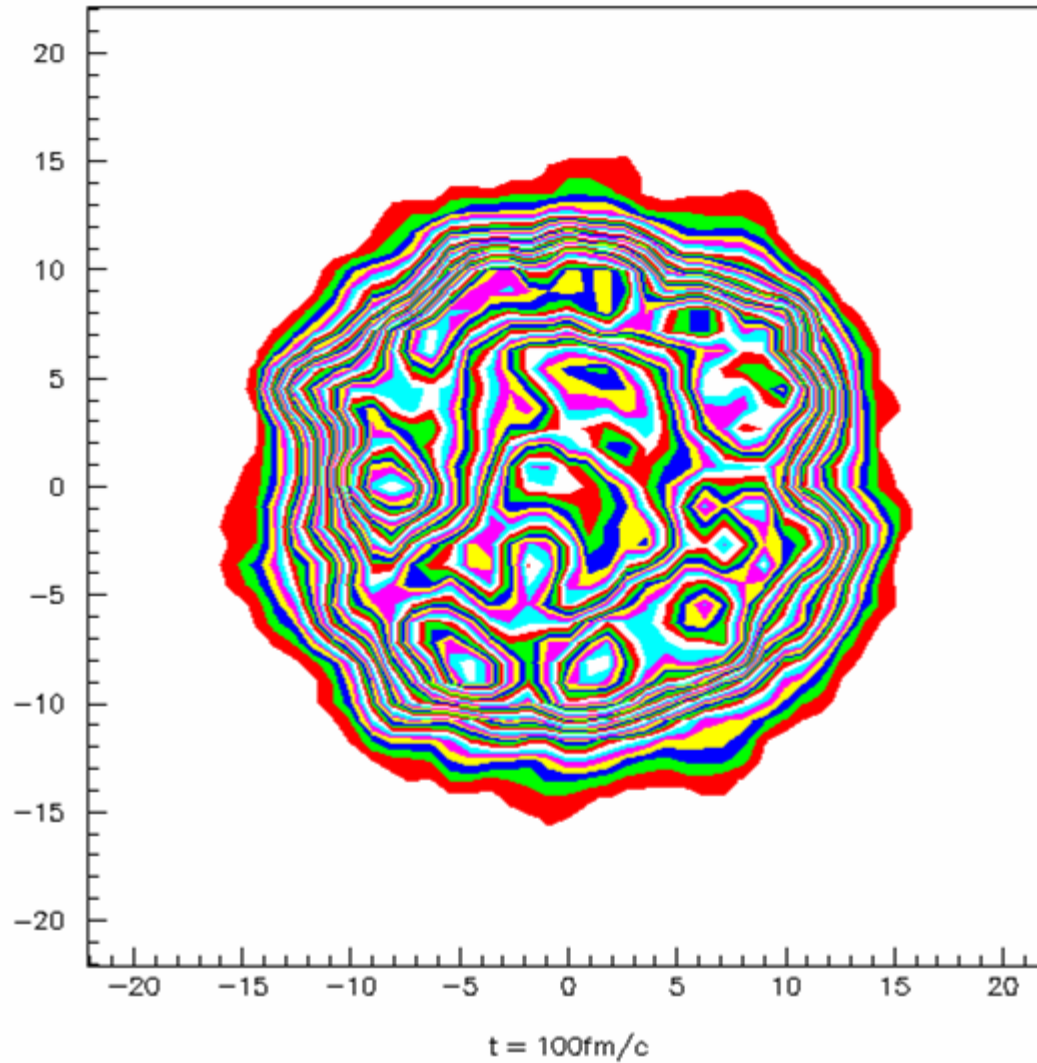
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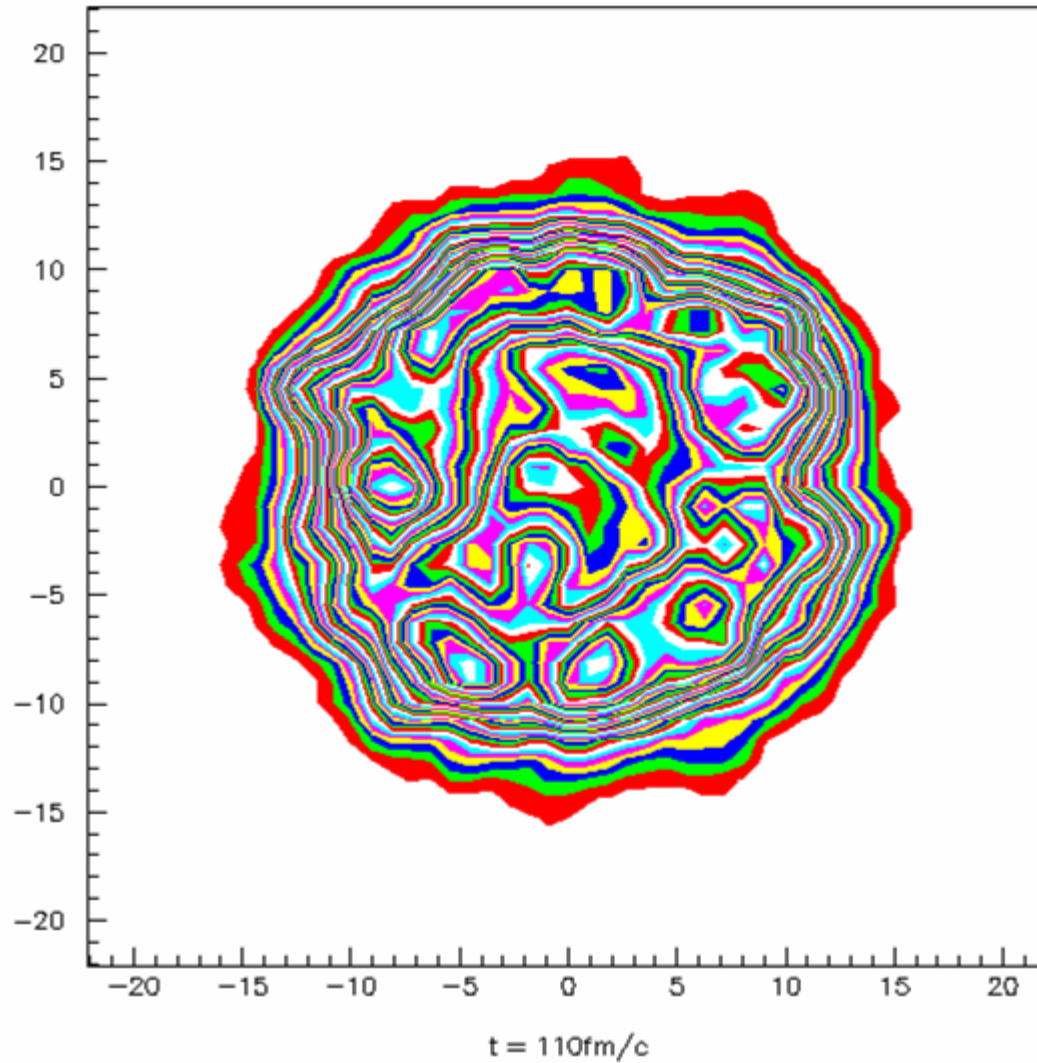
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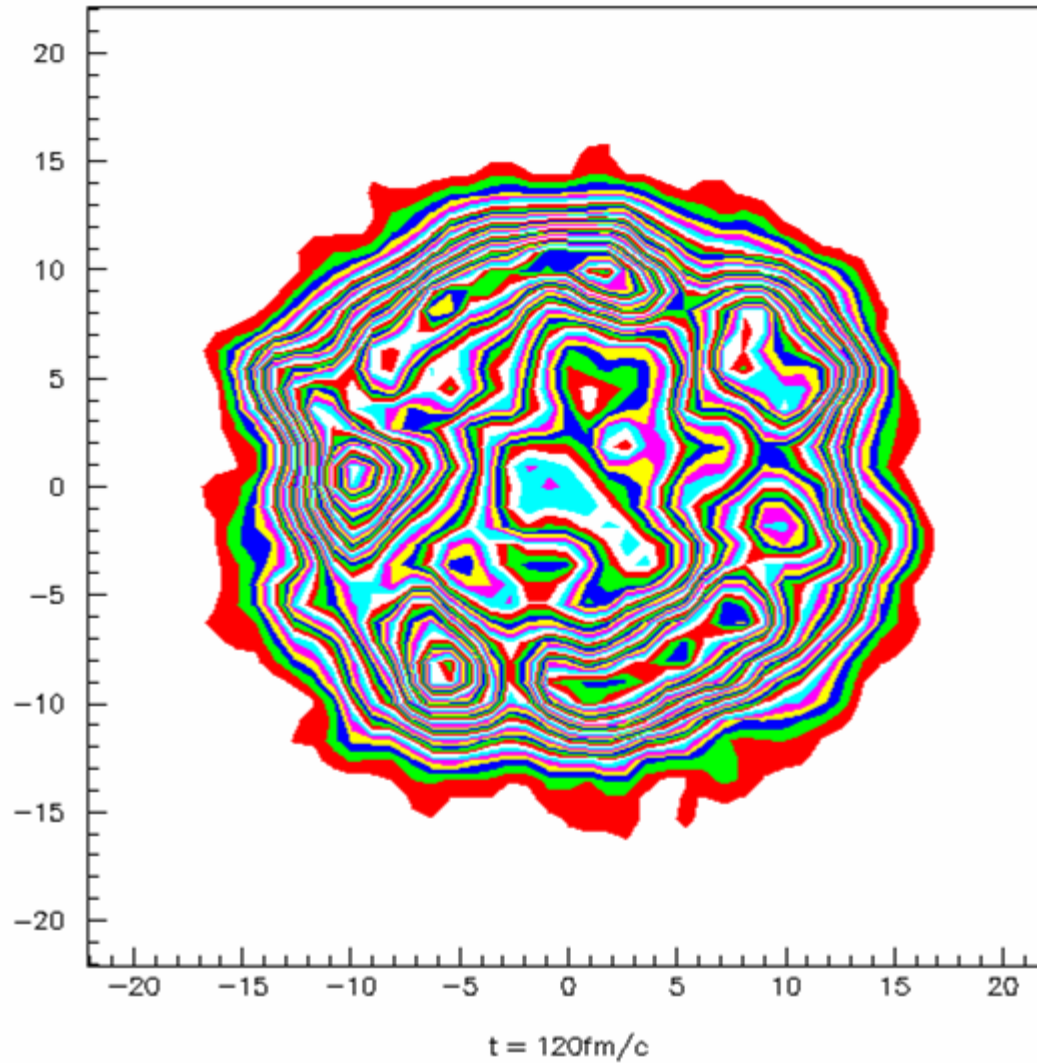
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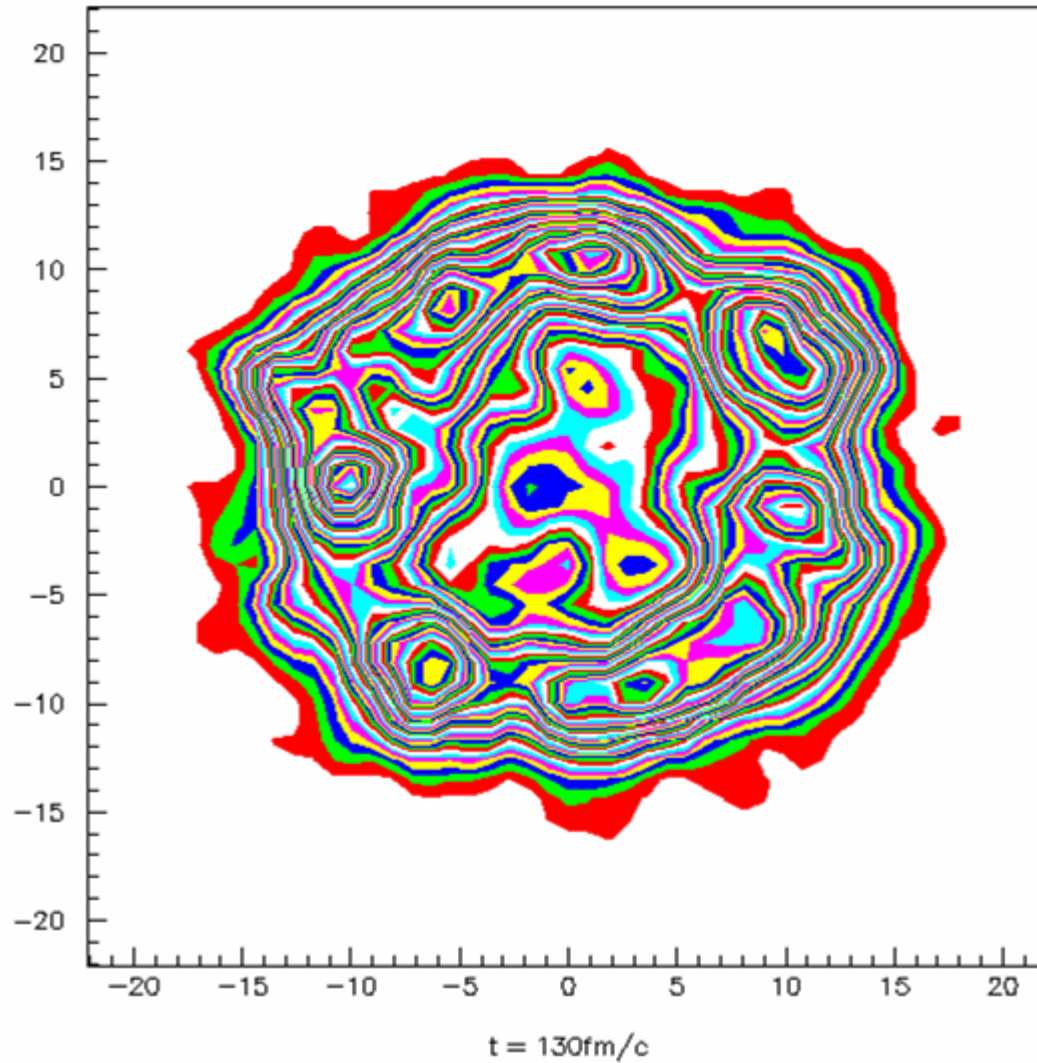
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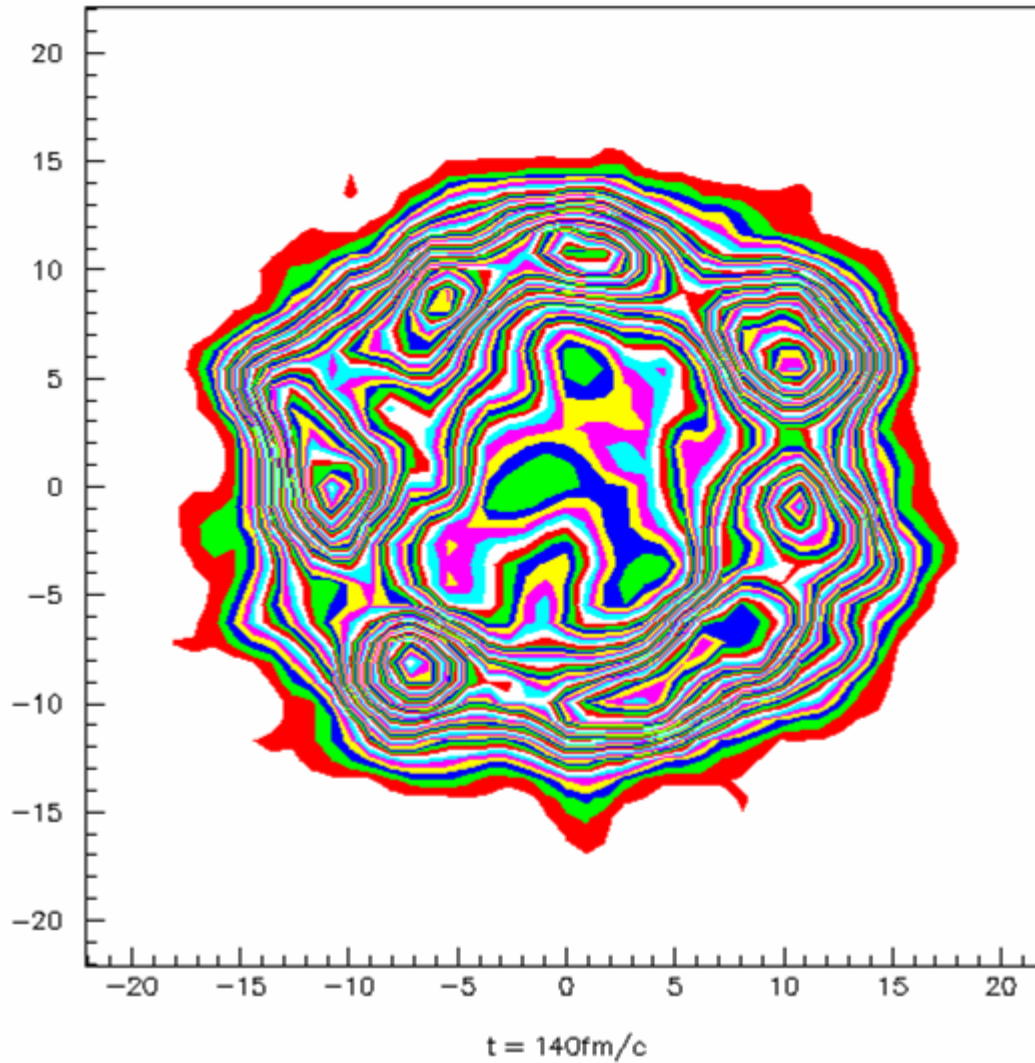
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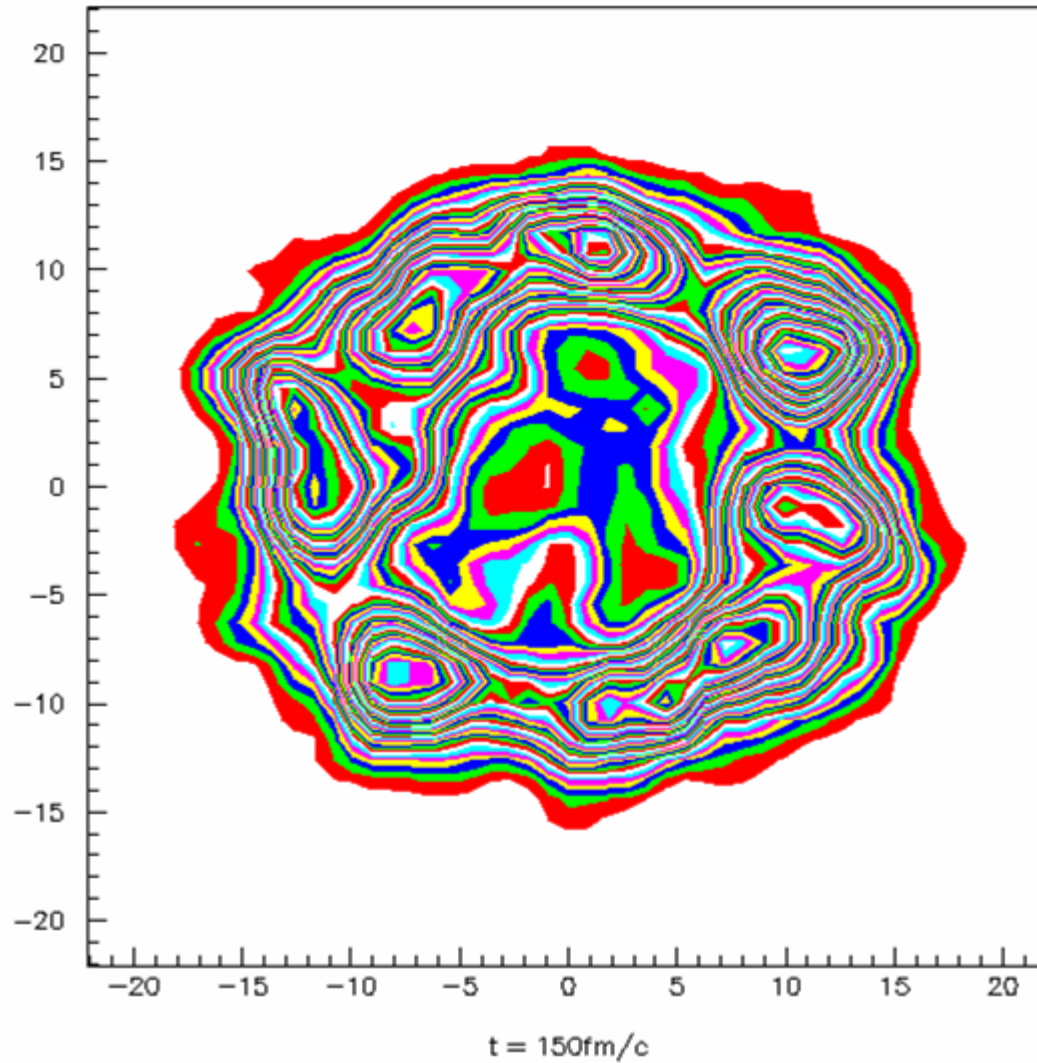
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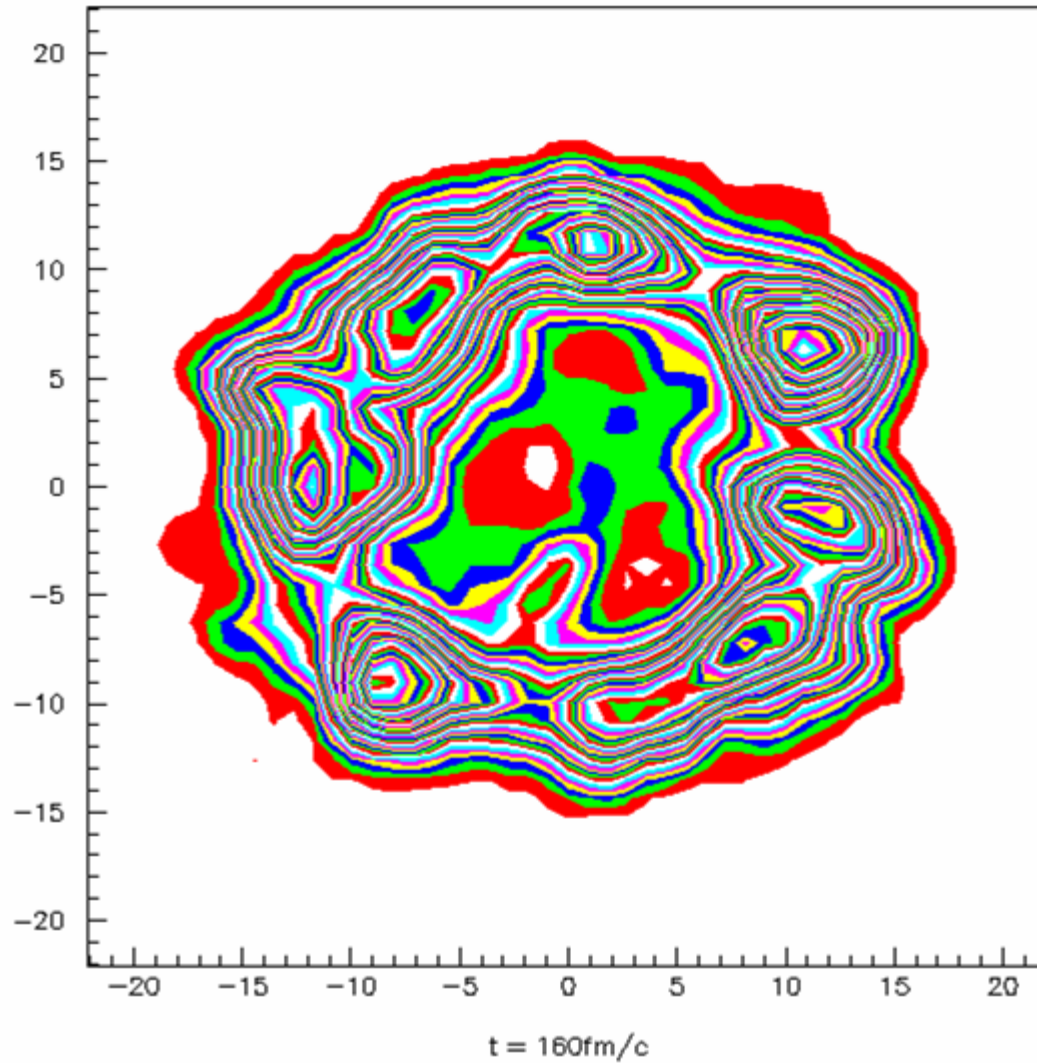
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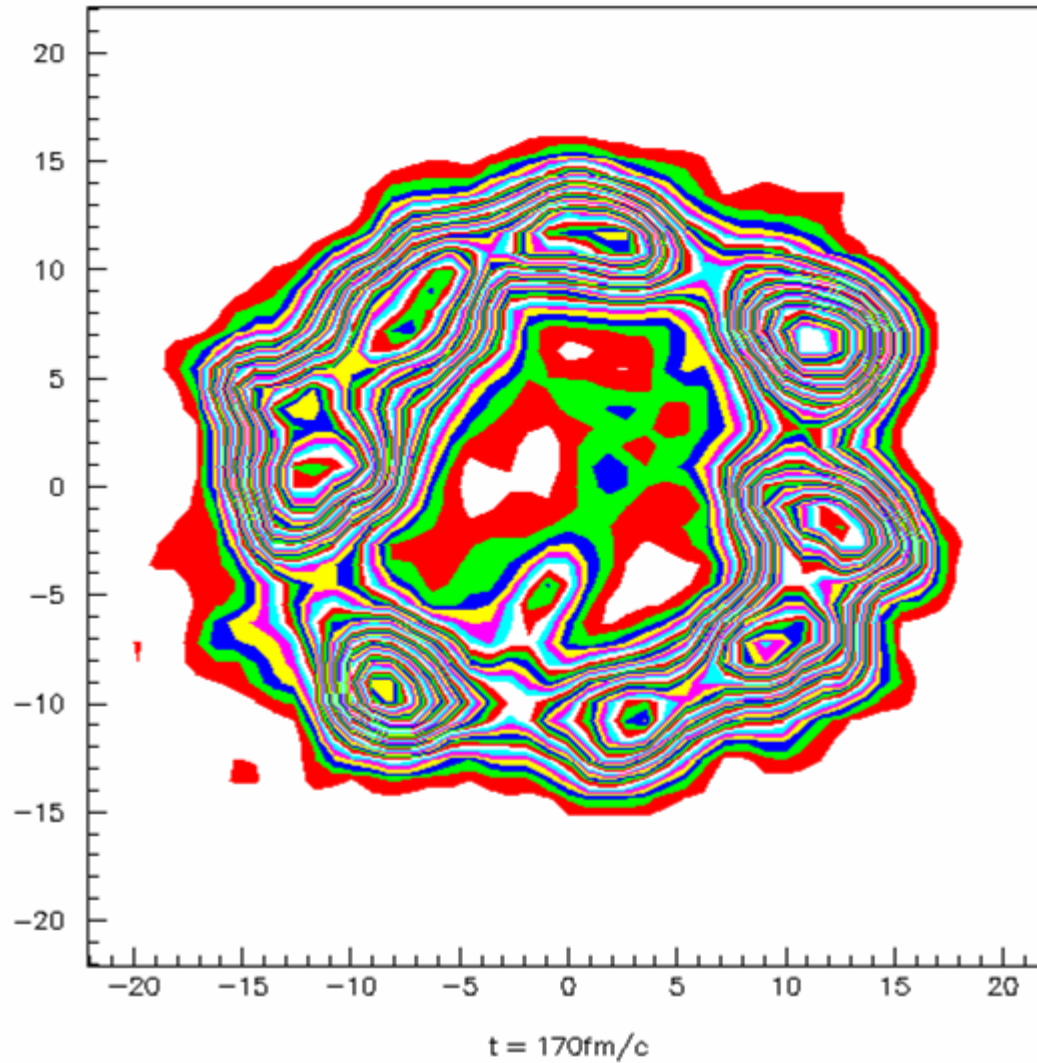


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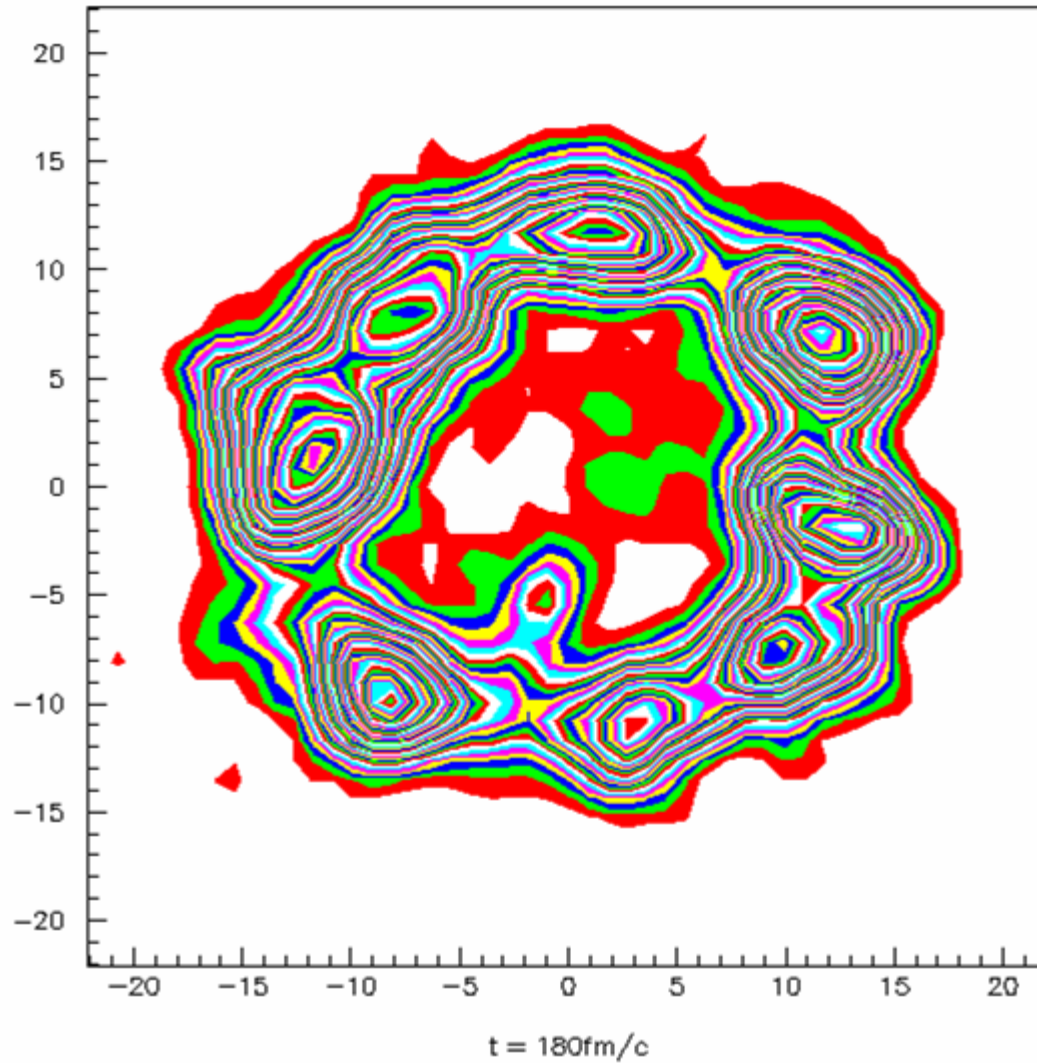
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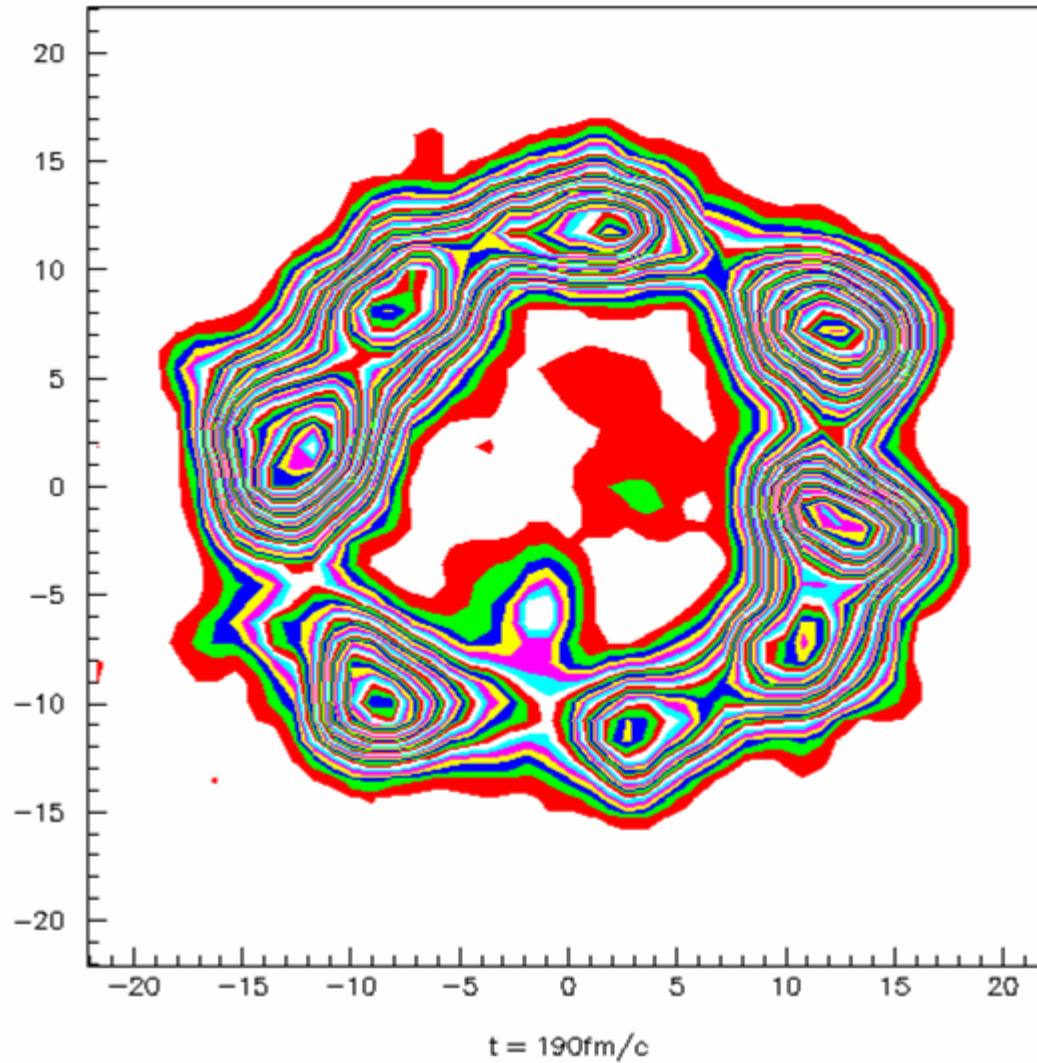
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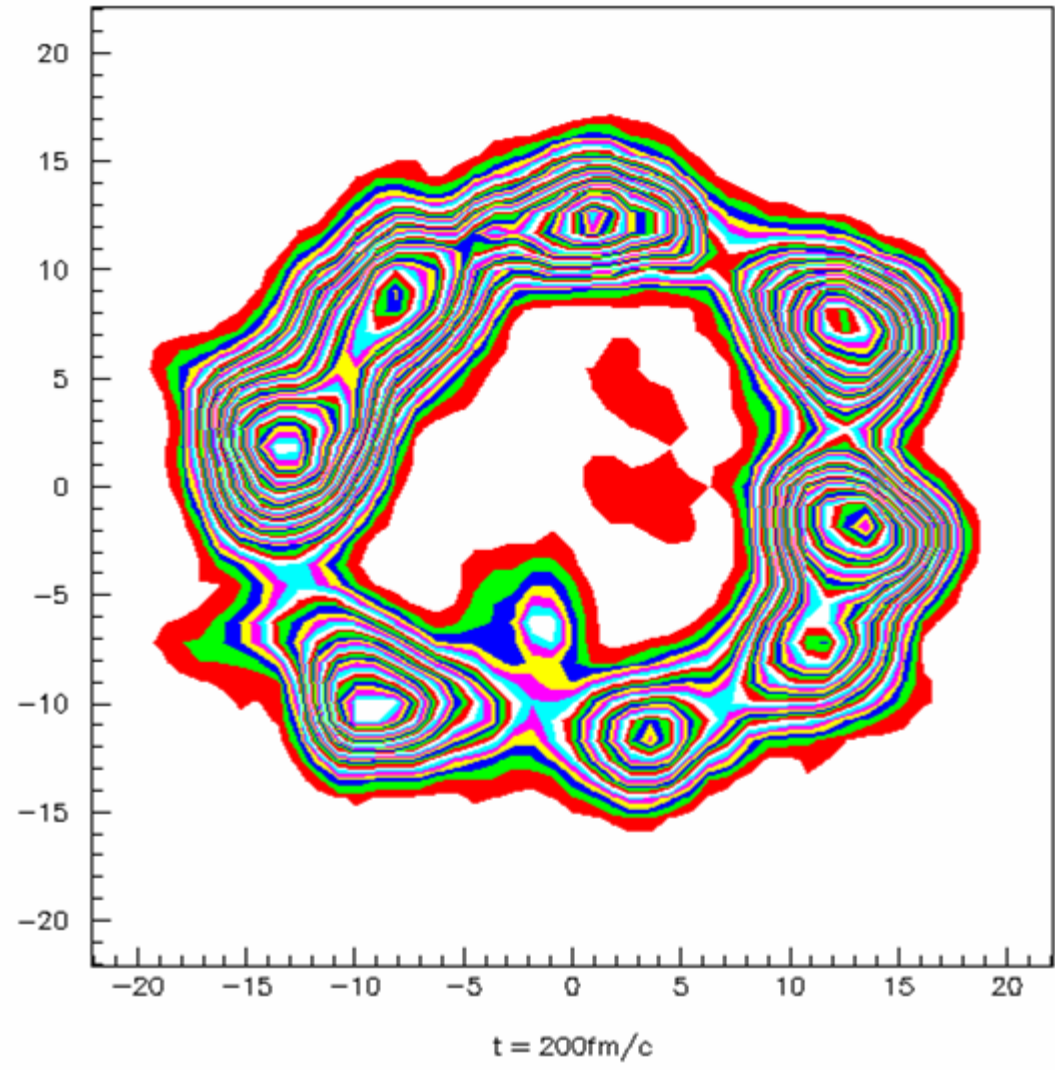


*BUU: Transport theory simulations*



*Micha Kilburn  
2003*

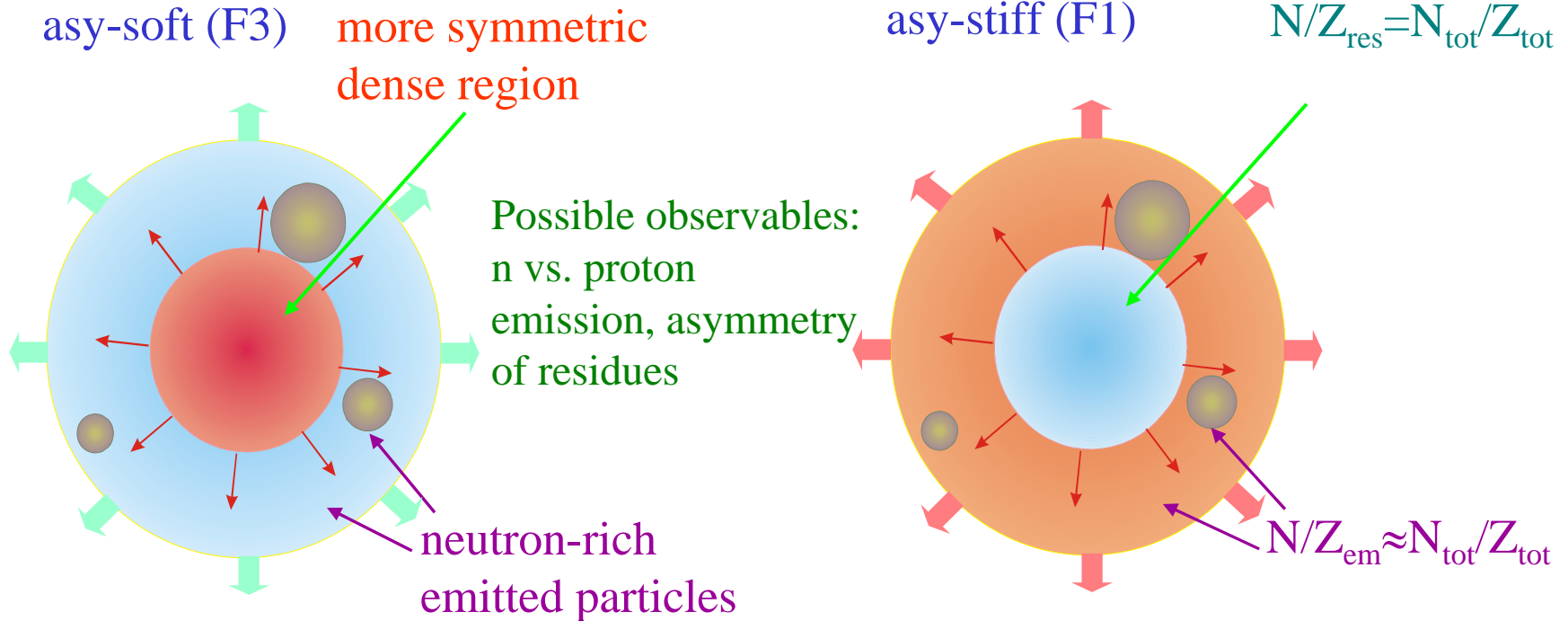
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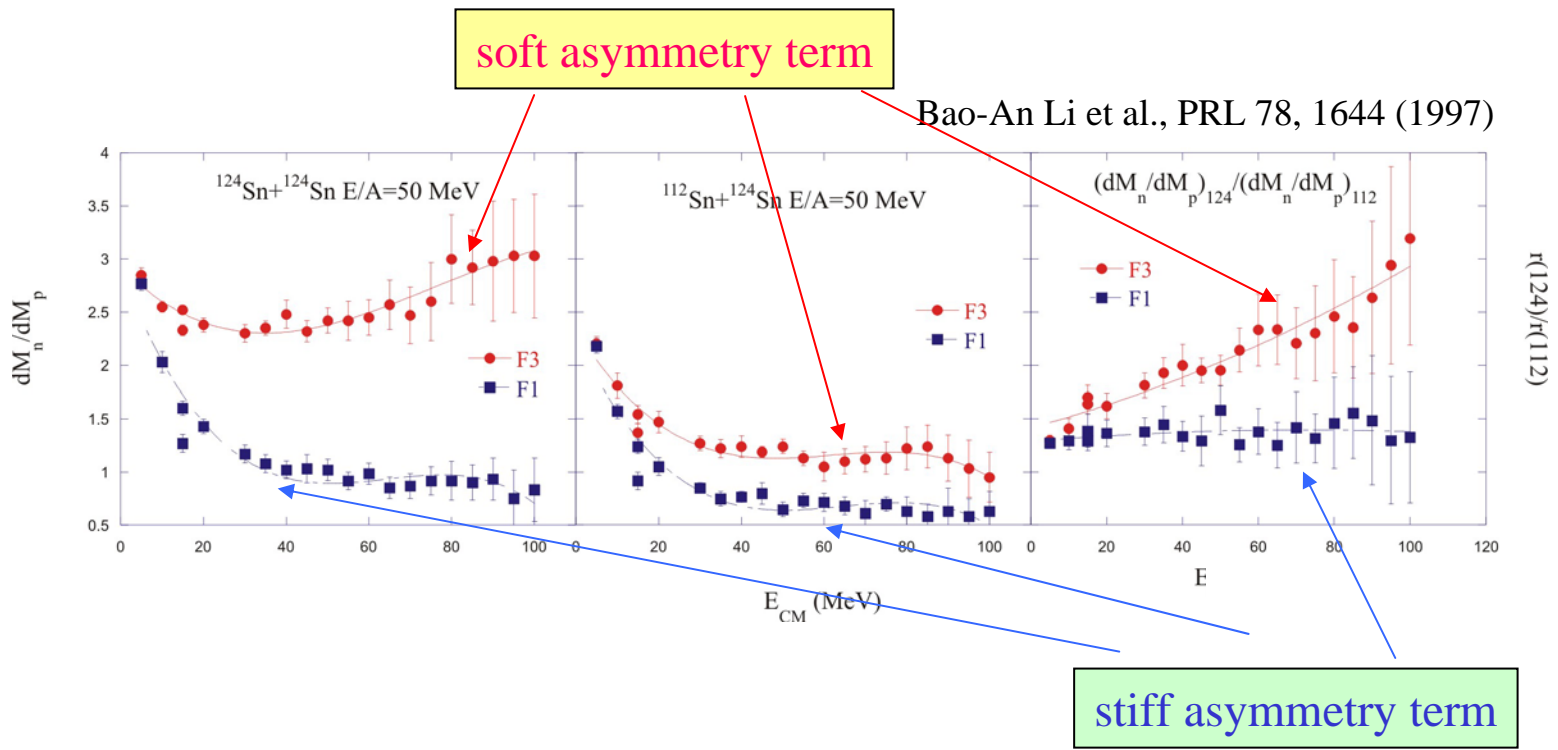
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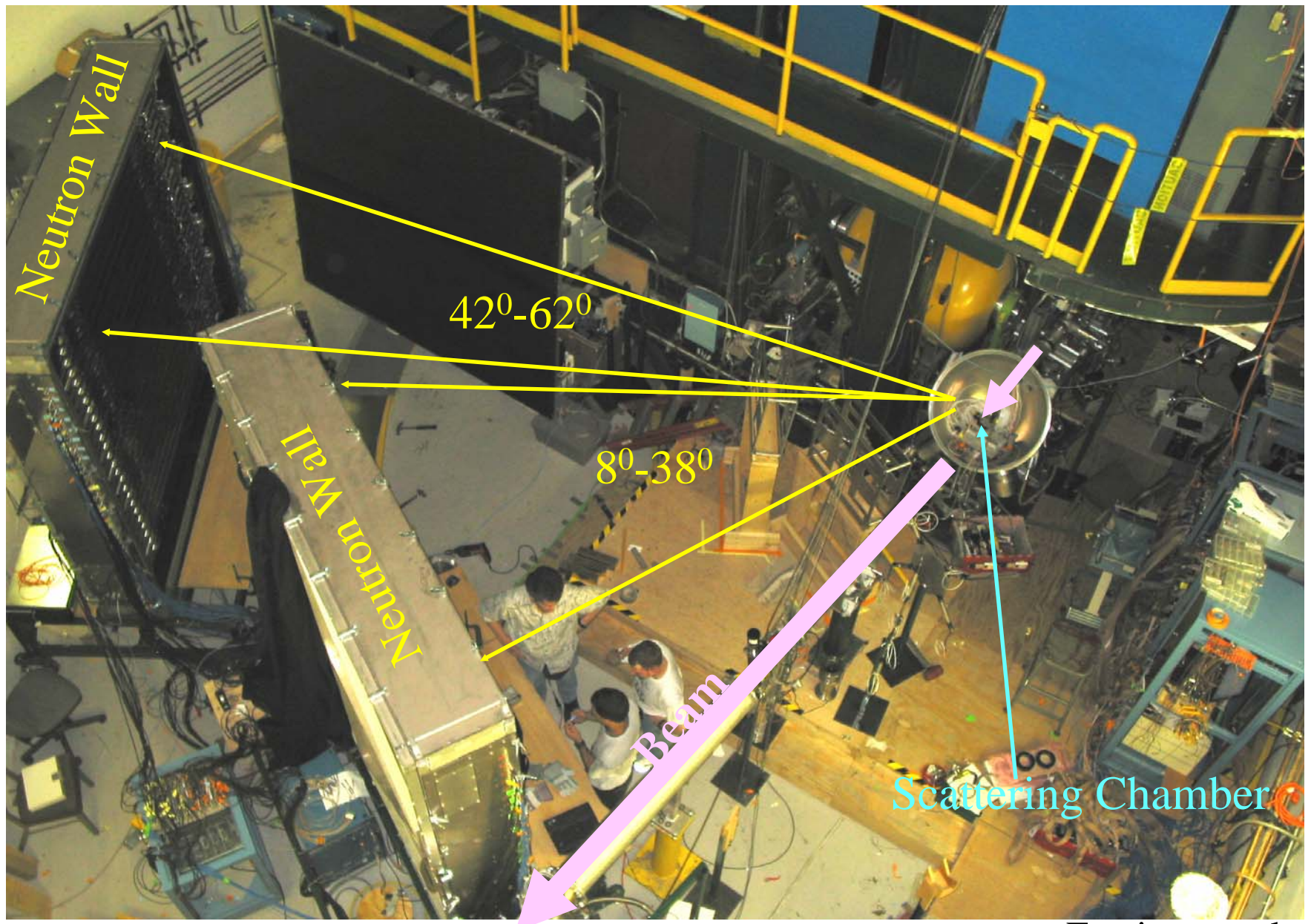
# Comparison of n and p spectra

- Probes the pressure from asymmetry term at saturation density and below.
  - Some of the primordial nucleons emerge as clusters; this can be addressed within [coalescence invariant analyses](#)



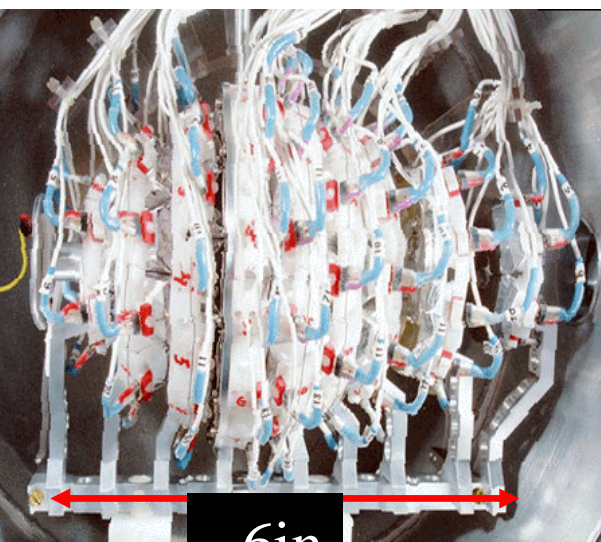
- Double ratio is less sensitive to energy calibration and neutron efficiency uncertainties.

n/p Experiment  $^{124}\text{Sn}+^{124}\text{Sn}$ ;  $^{112}\text{Sn}+^{112}\text{Sn}$ ; E/A=50 MeV



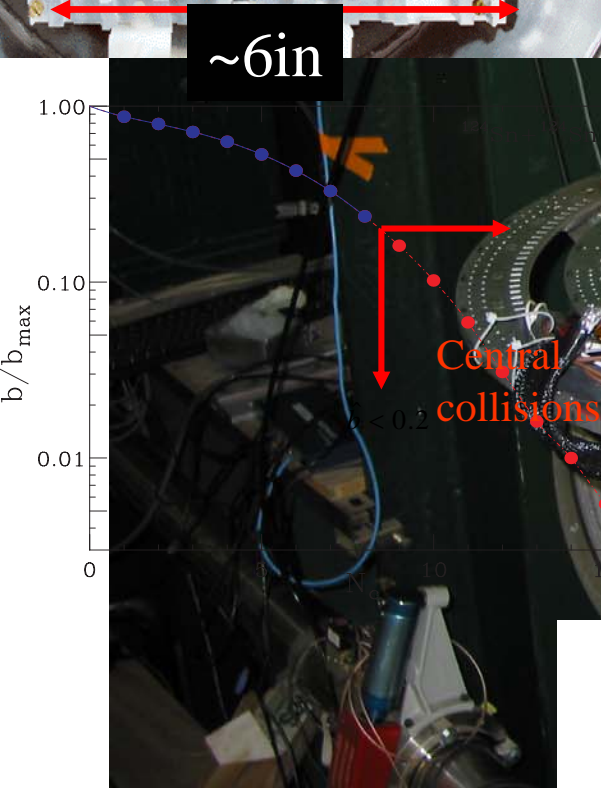


# P-detection: Scattering Chamber

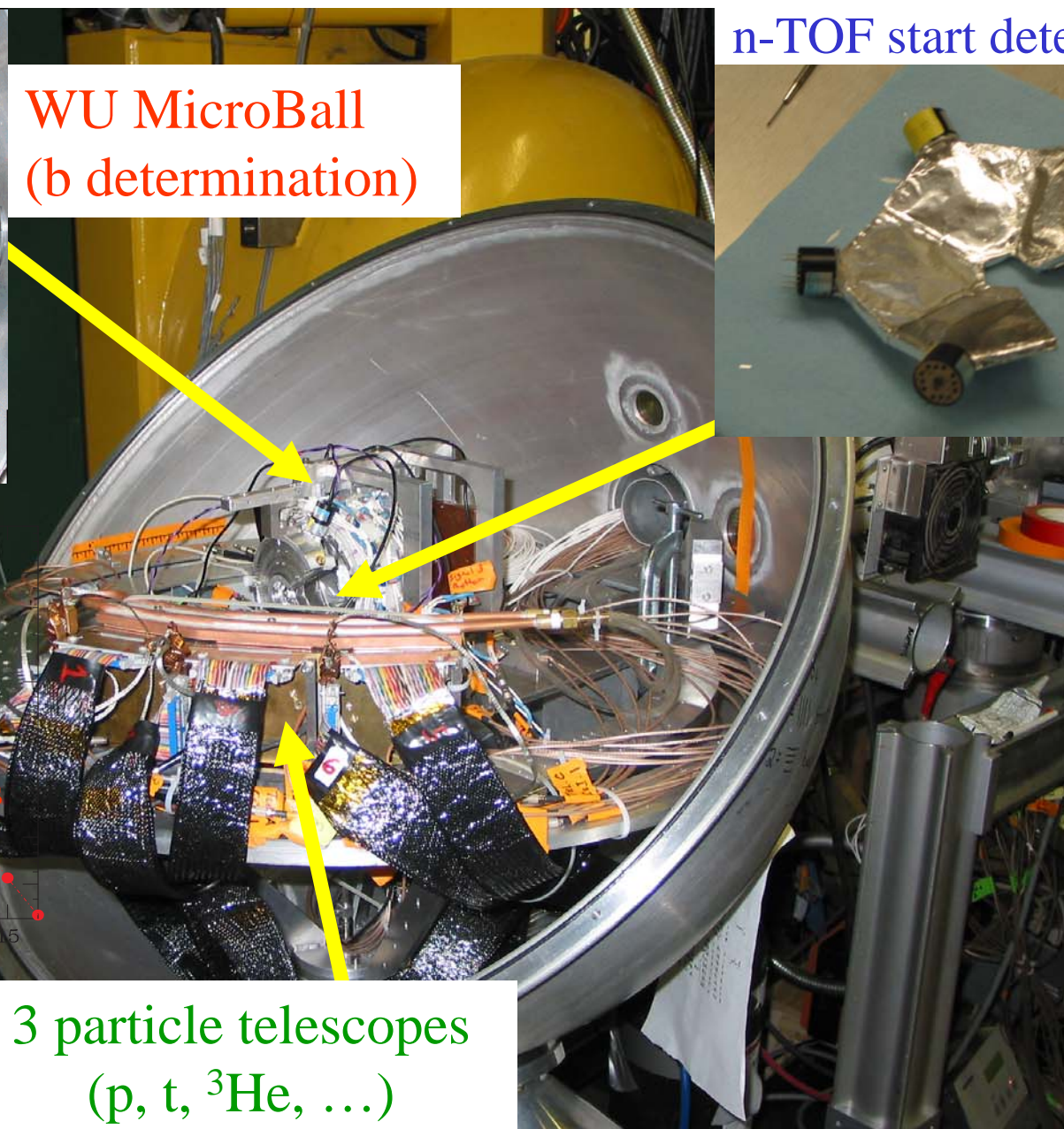


WU MicroBall  
(b determination)

n-TOF start detector

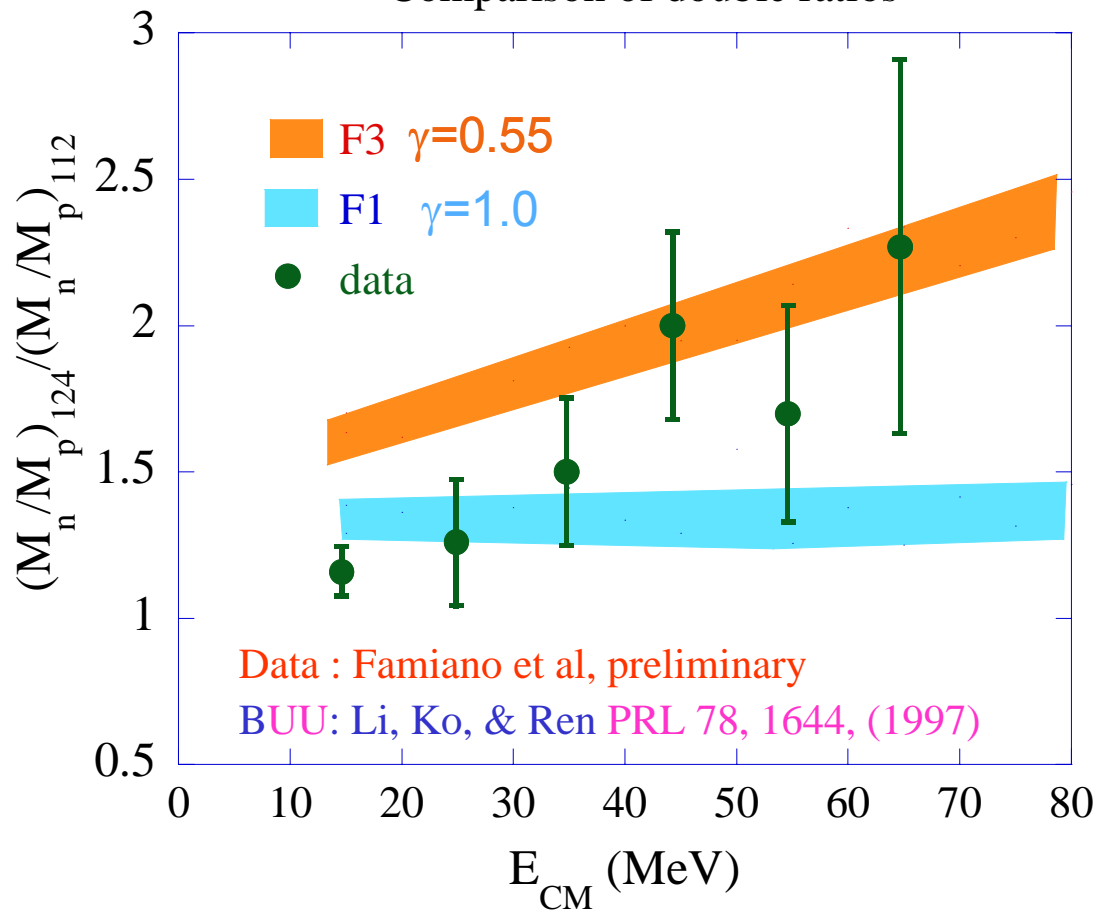


3 particle telescopes  
(p, t,  $^3\text{He}$ , ...)



# Coalescence invariant spectra

Comparison of double ratios



- Comparisons neglect
  - momentum dependence of mean field potential.
  - Uncertainties due to isospin dependent NN cross sections

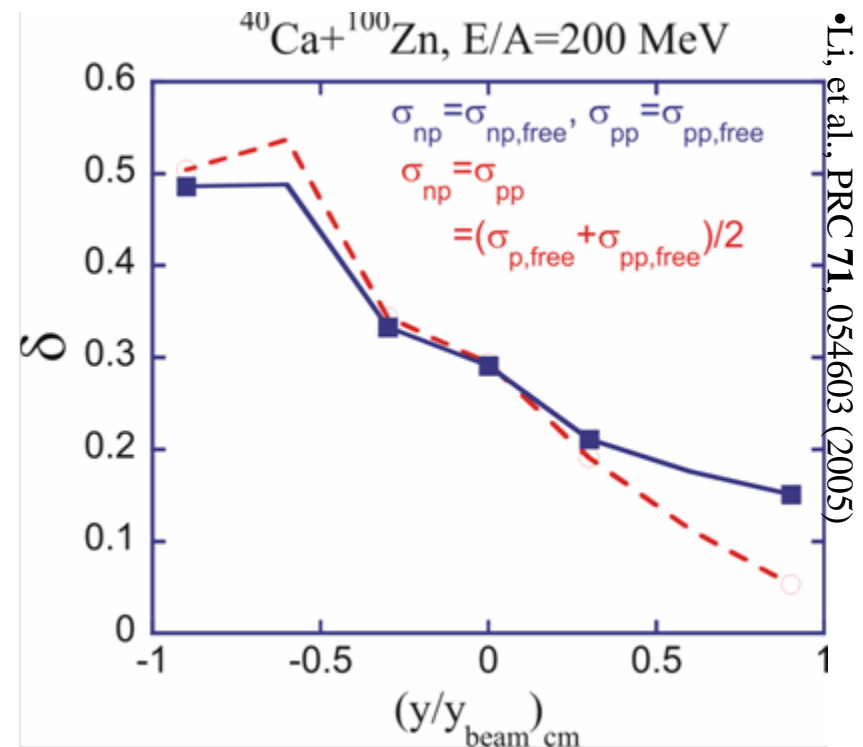
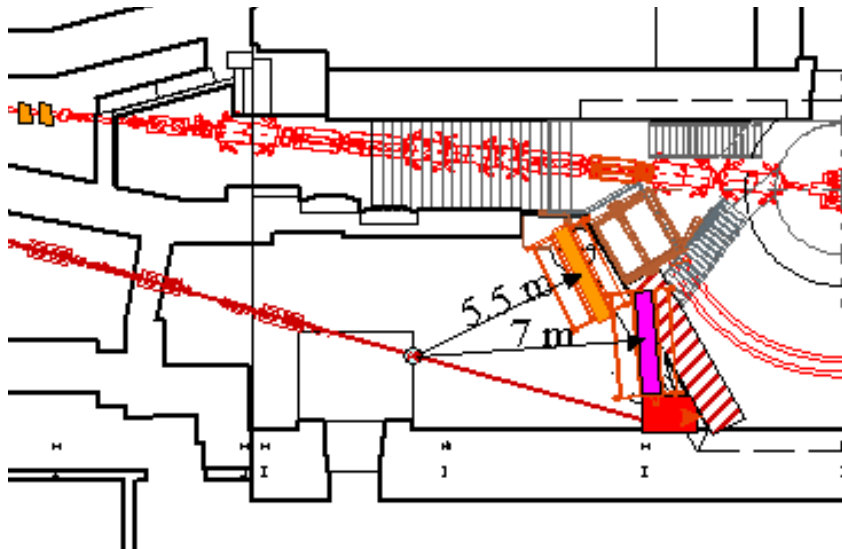
- Coalescence invariant analysis decreases sensitivity to cluster production model uncertainties:
  - Approach consistent with successful flow analyses.
  - Permits accurate comparisons to theory at  $E/A > 30$  MeV

# Summary

- We have two promising observables to probe the asymmetry term:
  - Isospin diffusion
  - Comparisons of neutron and proton emission rates and flow.
- We expect that three quantities need to be constrained:
  - density dependence: started
  - momentum-isospin dependence: started
  - isospin dependent in-medium cross sections: next
- We have promising other observables to constrain these quantities:
  - New neutron area in N2 vault at the CCF.
- Other factors:
  - uncertainty in the impact parameter.
  - role of fluctuations.

# Future plans: S2 reconfiguration

- A program of neutron measurements in the S2 vault was favorably reviewed by the program advisory committee at its latest meeting.
- Collaboration WMU (Famiano), MSU (Lynch, Tsang) and WU (Sobotka, Charity).
- Objectives are to constrain  $S(\rho)$ ,  $m_{n,p}^*$ ,  $\sigma_{pp}$  and  $\sigma_{np}$ .

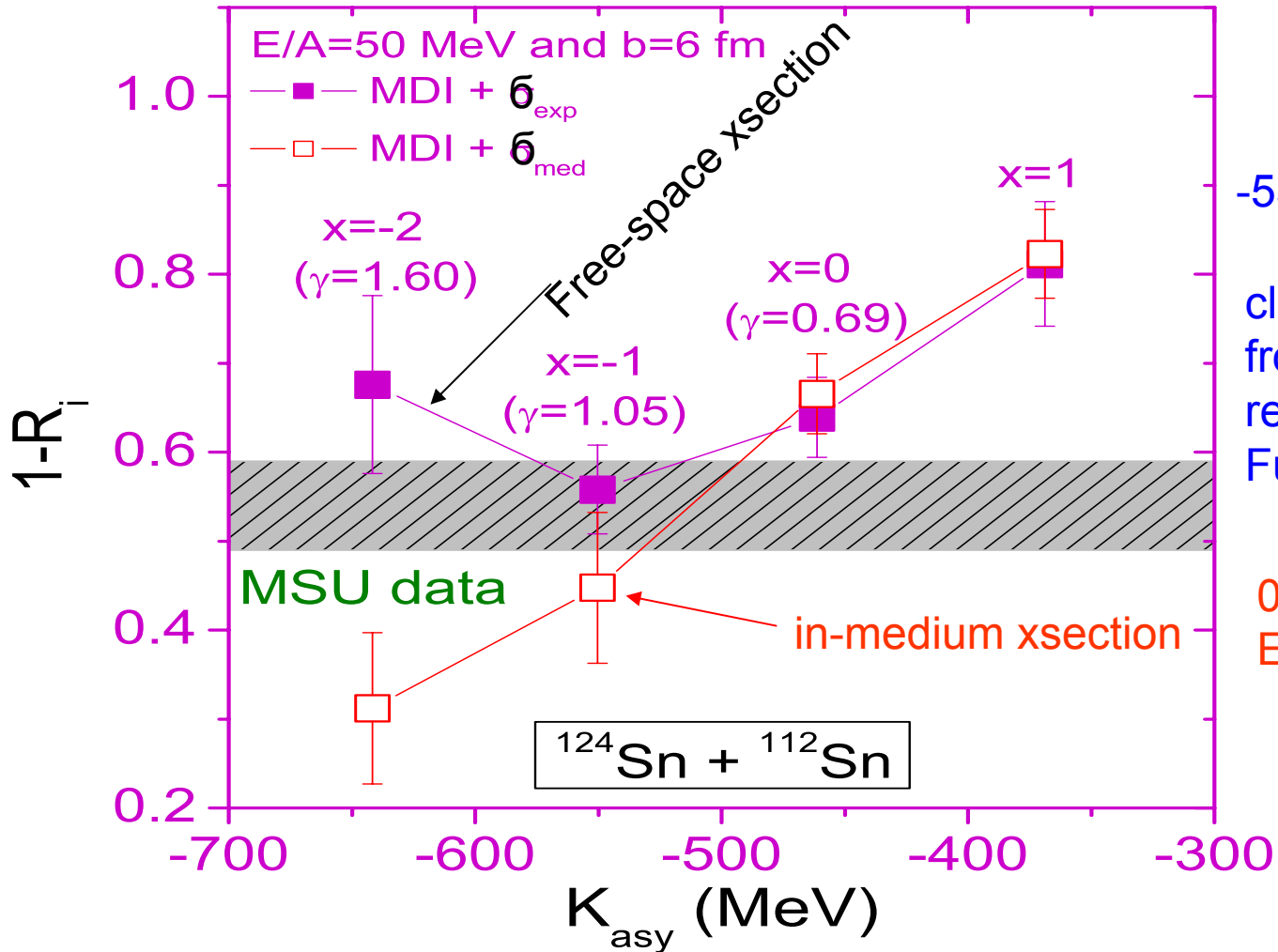


# Coalescence invariant analyses

$$\frac{dM_n}{dv^3}_{eff} = \sum_i \frac{dM_n}{dv^3} N_i$$
$$\frac{dM_p}{dv^3}_{eff} = \sum_i \frac{dM_p}{dv^3} Z_i$$

- Assumptions: The modification of nucleon momenta by the cluster production is small compared to the nucleon momenta themselves.

Effects of the in-medium nucleon-nucleon cross sections



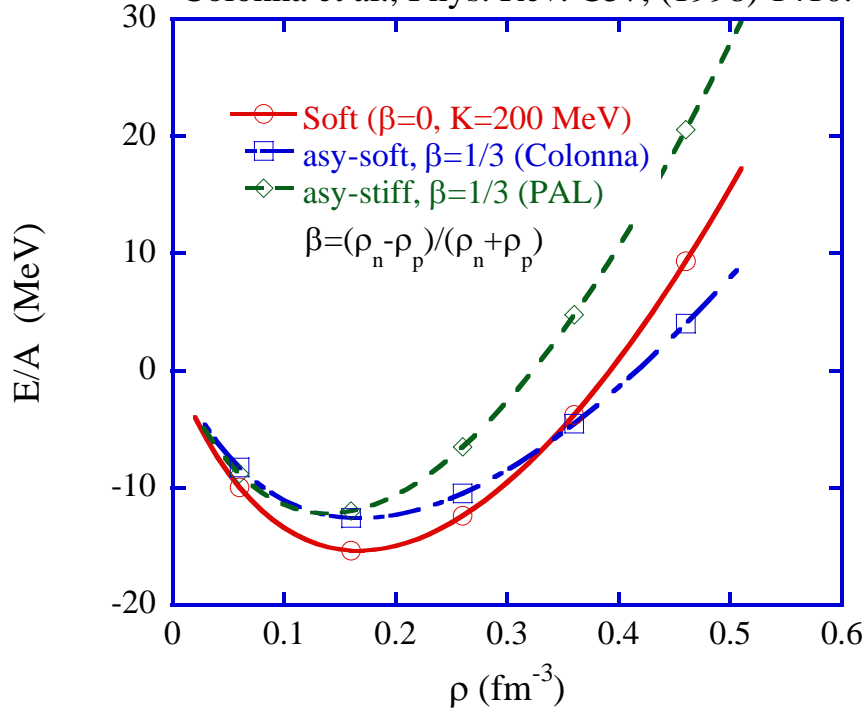
$-550 < K_{asy} < -450$  MeV

close to that extracted from Osaka giant resonances data by Fujiwara et al.

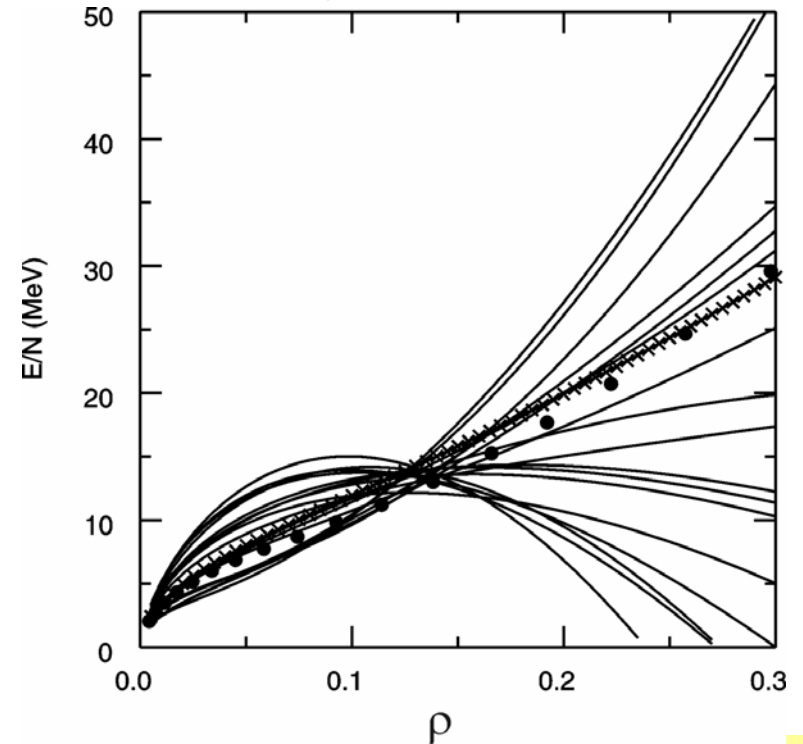
$0.7 < \gamma < 1.1$  in fitting  
 $E_{sym} = 32(\rho/\rho_0)^\gamma$

# Isospin Dependence of the Nuclear Equation of State

PAL: Prakash et al., PRL 61, (1988) 2518.  
 Colonna et al., Phys. Rev. C57, (1998) 1410.



Brown, Phys. Rev. Lett. 85, 5296 (2001)



$$E/A(\rho, \beta) = E/A(\rho, 0) + \delta^2 \cdot S(\rho)$$

$$\delta = (\rho_n - \rho_p) / (\rho_n + \rho_p) = (N - Z) / A$$

- The density dependence of asymmetry term is largely unconstrained.
- Pressure, i.e. EOS is rather uncertain even at  $\rho_0$ .